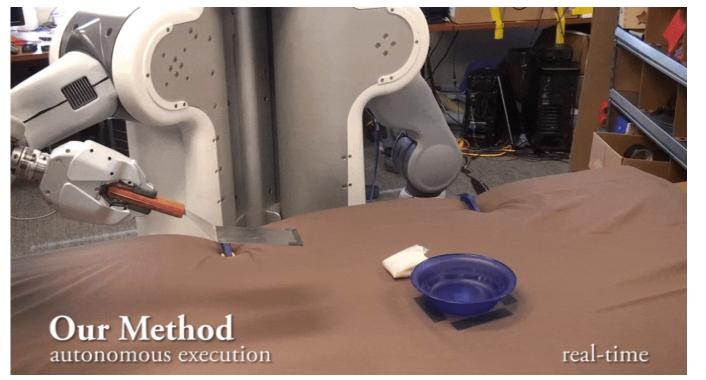
Tackling Distribution Shift through Pessimism, Adaptation, and Anticipation

Chelsea Finn



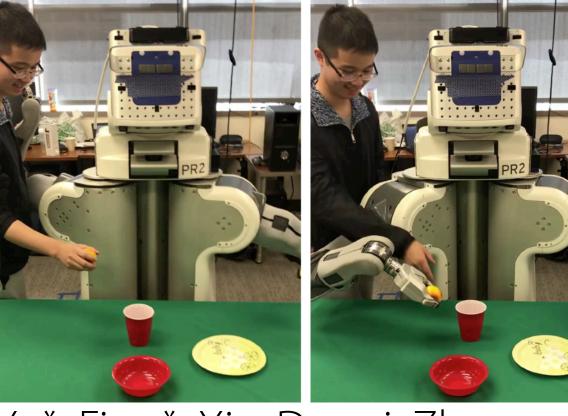
Can robots develop broadly intelligent behavior through learning & interaction?



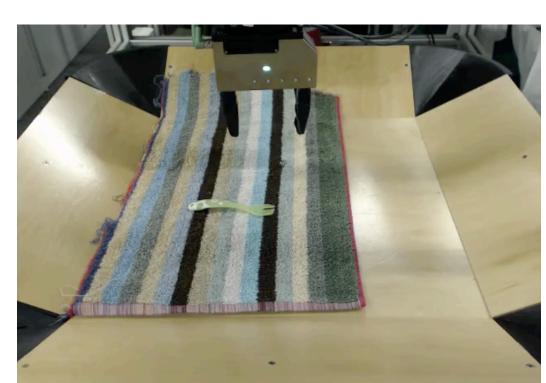
Finn, Tan, Duan, Darrell, Levine, Abbeel. ICRA '16



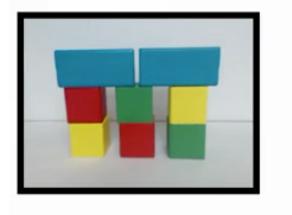
Levine*, Finn*, Darrell, Abbeel. JMLR'16



Yu*, Finn*, Xie, Dasari, Zhang, Abbeel, Levine, RSS '18

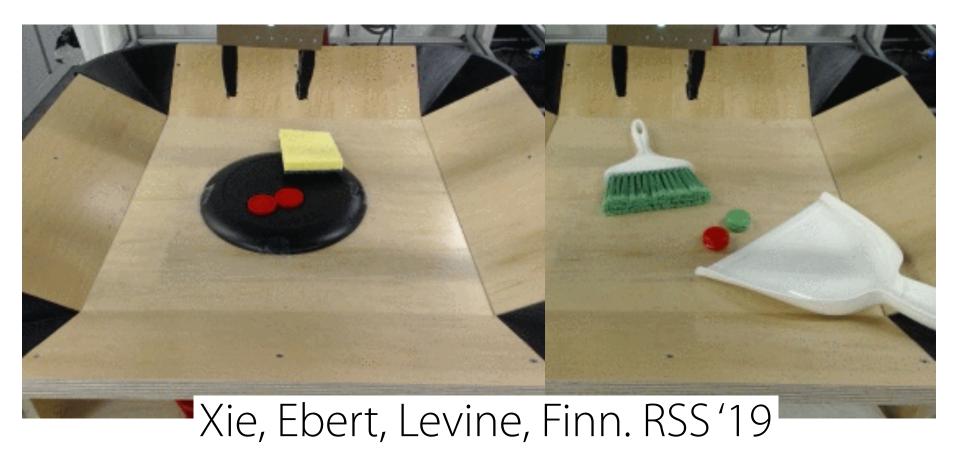


Ebert*, Finn*, Dasari, Xie, Lee, Levine. '18





Janner, Levine, Freeman, Tenenbaum, Finn, Wu. ICLR'19



Machine learning works



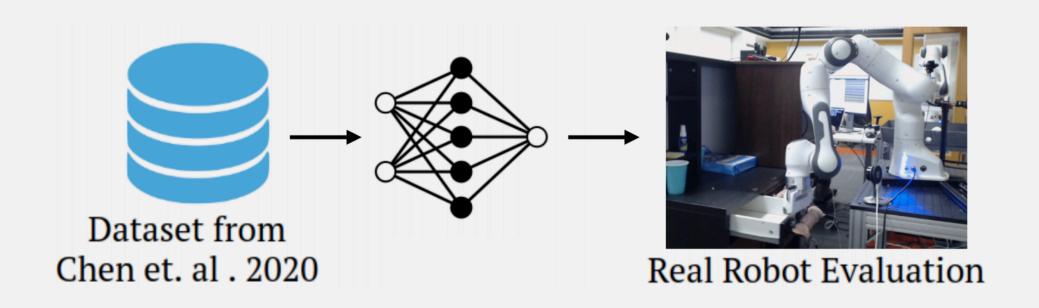
on the training data distribution

Core assumption

 $P_{ ext{train}} = P_{ ext{test}}$

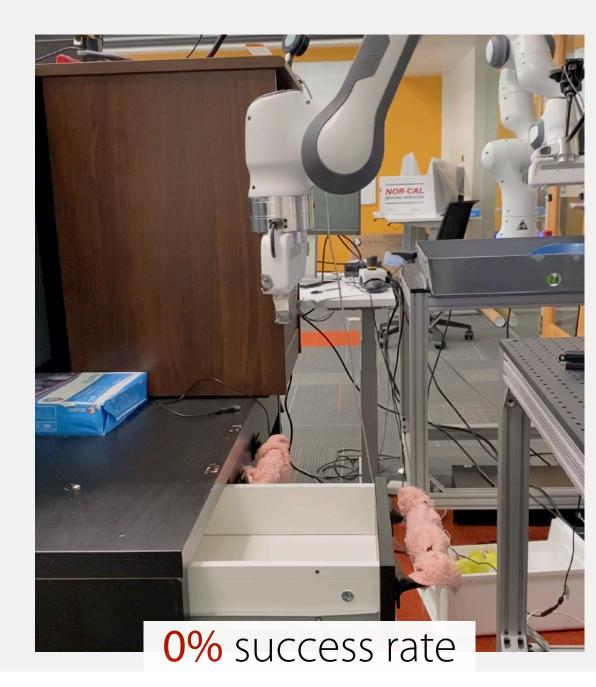
Examples of distribution shift: offline RL and temporal shifts

RL from offline datasets



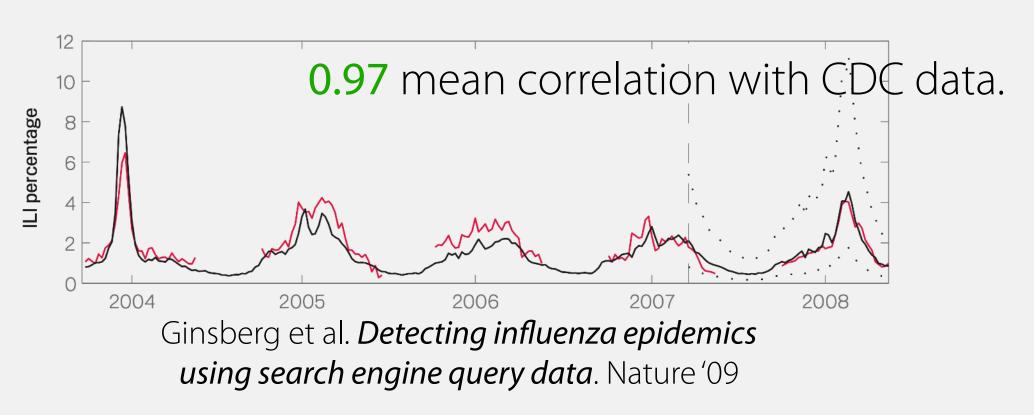
Distribution shift between **policy in the dataset** and the **policy being optimized**.

If you don't account for this shift:



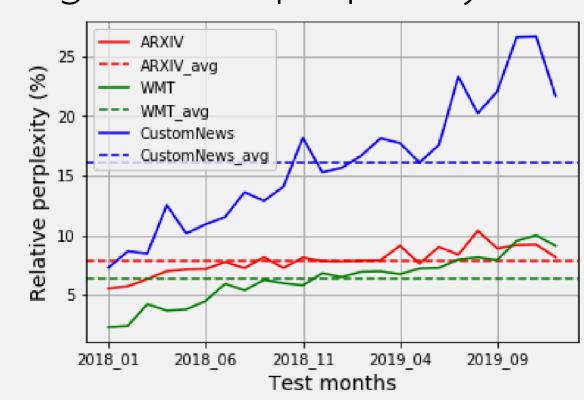
Shift over time

Predicting flu incidence from search queries



Feb 2013: predicting double the incidence

Language model perplexity over time.



Lazaridou et al. *Pitfalls of Static Language Modeling*. '21

Examples of distribution shift: domains & subpopulations

Online content moderation (Borkan et al. 2019)

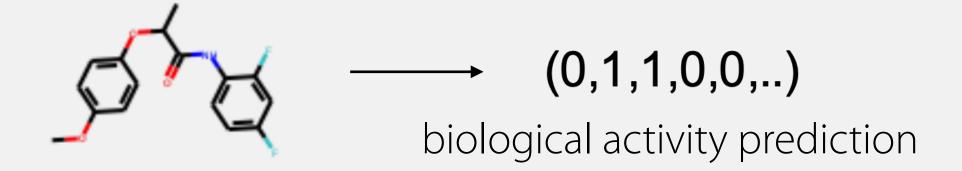
Comment: "I doubt that anyone cares whether you believe it or not" toxic / not toxic

92.2% average test accuracy

Demographic	Test accuracy on non-toxic co	mments
Male	87.3 (0.7)	
$egin{array}{c} ext{Female} \ ext{LGBTQ} \end{array}$	$89.0 \; (0.6) $ $74.6 \; (0.5)$	
Christian	92.1 (0.2)	
Muslim	80.9 (1.0)	69.2
Other religions	86.1 (0.1)	
Black White	69.2 (1.3) $71.2 (1.4)$	mer

Molecular Property Prediction (Hu et al. 2020)

Molecule:



34.4% average precision on test molecules from training scaffolds

26.8% average precision on test molecules from held-out scaffolds



WILDS has 5+ more datasets with distribution shift, ranging from ecological conservation to medical imaging.





Pang Wei Koh Shiori Sagawa

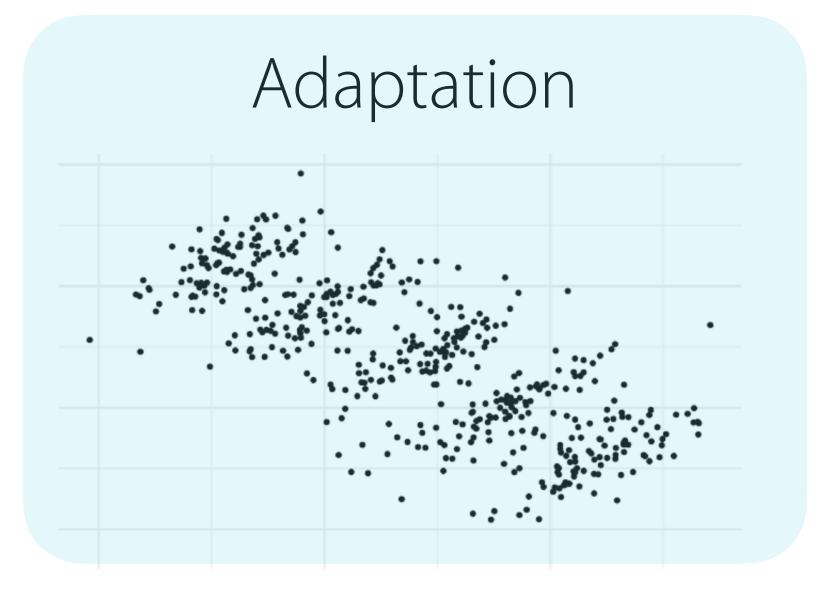
Koh*, Sagawa*, Marklund, Xie, Zhang, Balsubramani, Hu, Yasunaga, Phillips, Gao, Lee, David, Stavness, Guo, Earnshaw, Haque, Beery, Leskovec, Kundaje, Pierson, Levine, Finn, Liang. **WILDS: A Benchmark of in-the-Wild Distribution Shifts**. arXiv 2020.

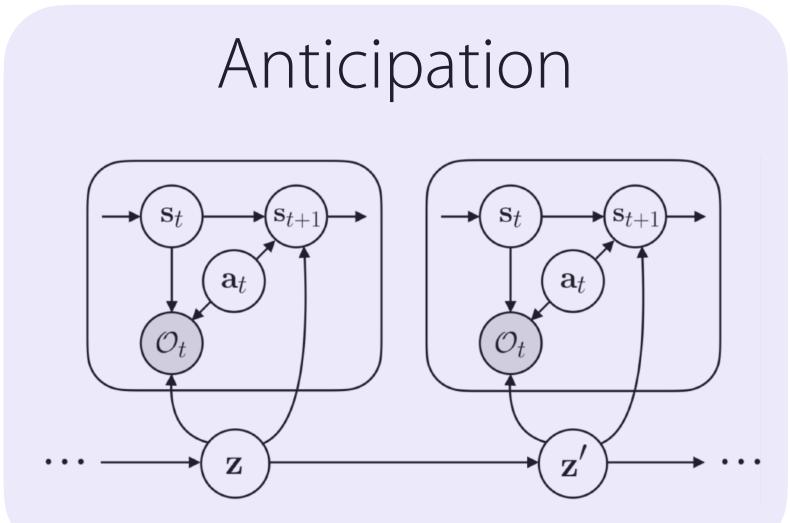
wilds.stanford.edu

Tools for tackling distribution shift

Pessimism

 $\min_{\theta} \sup_{Q \in U(P)} \mathbb{E}_{Q}[\ell(x, y; \theta)]$





Introducing more assumptions

The Principle of Pessimism

"prepare for the worst"

Distributionally robust optimization

(Ben-Tal et al. '13, Duchi et al '16)

$$\min_{\theta} \sup_{Q \in U(P)} \mathbb{E}_{Q}[\ell(x, y; \theta)]$$

- Adversarial training is a special case

(but doesn't prepare the model for natural shifts)

- Common choices for U(P):

Wasserstein DRO: $Q:W_p(P,Q) \leq \epsilon$

CVaR DRO: all distributions over α portion of the data

Group DRO: $|\mathcal{D}|$ distributions with mass only over each domain in \mathcal{D}

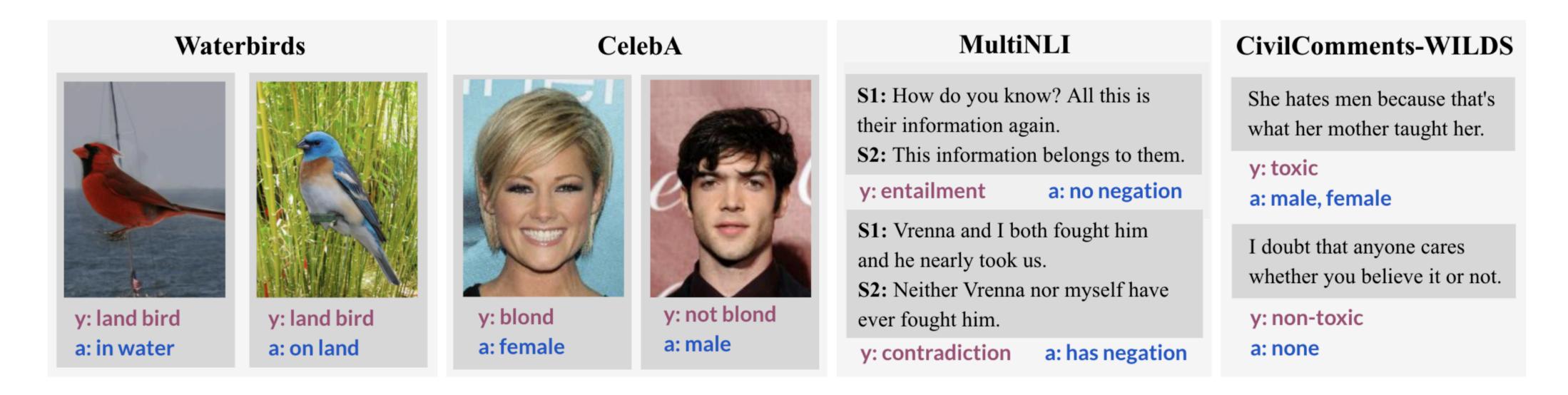
+ beautiful, principled framework

very large uncertainty set (too pessimistic)

<0r>

} requires detailed knowledge during training

Do CVaR DRO and Group DRO produce models robust to spurious correlations?



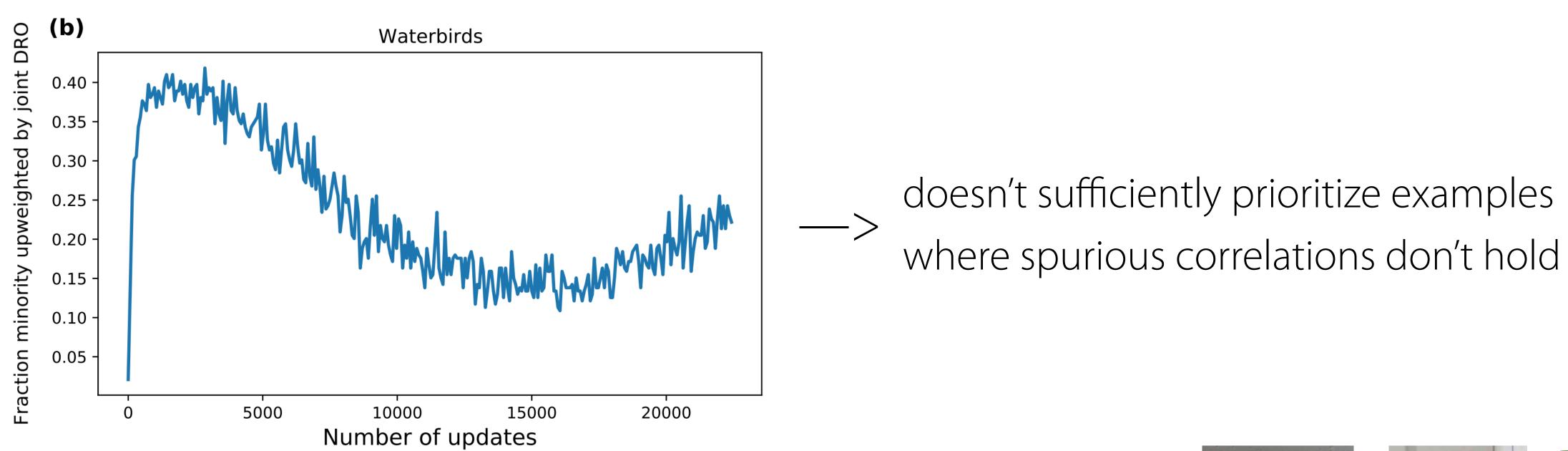
	Group labels during training?	Waterbirds		CelebA		MultiNLI		CivilComments-WILDS	
		Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.
ERM	No	85.86%	72.59%	95.55%	47.22%	82.41%	67.94%	92.55%	59.38%
Joint DRO	No	88.51%	69.47%	82.35%	64.44%	81.95%	68.03%	92.46%	56.63%
Group DRO	Yes	89.47%	85.72%	92.97%	87.22%	80.31%	75.26%	88.88%	69.92%

Group DRO does well 4, but requires group labels during training 😞

Joint DRO shows little gains over ERM &

Why doesn't joint DRO work for spurious correlations?

Joint DRO objective is less directed at minority groups than group DRO









Evan Liu Behzad Haghgoo Annie Chen

High-Level Approach

Stage 1: Automatically identify examples where spurious correlations don't hold

Recall: ERM performs poorly on these examples.

Stage 2: Prioritize these examples.

Complete algorithm

- 1. Train identification model $g_{\phi}(x)$ via ERM.
- 2. Compute error set as misclassified examples.

$$E = \{(x, y) : g_{\phi}(x) \neq y\}$$

- 3. Upsample examples from E in train set.
- 4. Train final model f_{θ} on upsampled dataset

"just train twice" (JTT)

Experimental Results



a: in water



y: blond

a: female

CelebA y: not blond a: male

MultiNLI S1: How do you know? All this is their information again. **S2:** This information belongs to them. y: entailment a: no negation S1: Vrenna and I both fought him and he nearly took us. **S2:** Neither Vrenna nor myself have ever fought him.

y: contradiction



- ERM
 - Joint DRO
 - LfF: representative recent approach with strong results

All methods tuned w.r.t. worst-group val loss.

Method	Group labels during training?	Wa	terbirds	CelebA		MultiNLI		CivilComments-WILDS	
		Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.	Average Acc.	Worst-group Acc.
ERM	No	85.86%	72.59%	95.55%	47.22%	82.41%	67.94%	92.55%	59.38%
Joint DRO	No	88.51%	69.47%	82.35%	64.44%	81.95%	68.03%	92.46%	56.63%
LfF (Nam et al., 2020)	No	91.56%	75.23%	85.96%	70.56%	80.77%	70.20%	92.52%	58.77%
JTT (Ours)	No	90.33%	86.03%	87.96%	81.11%	80.38%	72.29%	91.07%	69.31%
Group DRO	Yes	89.47%	85.72%	92.97%	87.22%	80.31%	75.26%	88.88%	69.92%

a: has negation

y: toxic

a: male, female

y: non-toxic

a: none

I doubt that anyone cares

whether you believe it or not.

>10% improvement in worst-group accuracy on 3 of 4 datasets

on 2 datasets, **JTT** is **comparable** to **group DRO**

Liu*, Haghgoo*, Chen*, Raghunathan, Koh, Sagawa, Liang, Finn. Just Train Twice: Improving Group Robustness without Training Group Information. 2021.

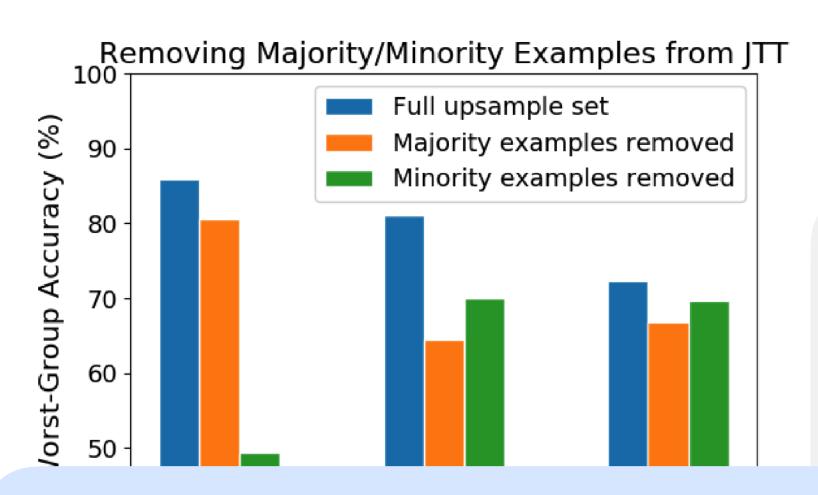
What datapoints does JTT identify?

What portion of the error set is minority examples?

Dataset	Minority-group Precision	Minority-group Empirical Rate
Waterbirds	45.5%	5.0%
CelebA	23.2%	44.9%
MultiNLI	38.4%	28.6%
CivilComments	72.2%	10.7%

—> much higher rate of minority points in the error set vs. empirical distribution

What if we remove the majority or minority points from the error set?



correlations by prioritizing hard datapoints.

—> both majority and minority points are helpful! water bird + water background

In error set Takeaway: Can achieve robustness to spurious

Not in error set

ous attribute is more ambiguous in identified points.

Aside: What about pessimism for reinforcement learning?

Key idea Be pessimistic about value of OOD states, actions.

—> avoid visiting out-of-distribution states

Minimize Q(s, a) for OOD actions a.

Kumar, Zhou, Tucker, Levine. Conservative Q-Learning for Offline RL. NeurIPS '20

Reward penalty when model is uncertain

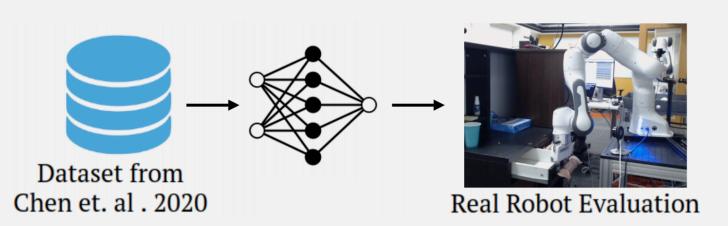
Yu*, Thomas*, Yu, Ermon, Zou, Levine, Finn, Ma. MOPO: Model-based Offline Policy Optimization. NeurIPS '20

Minimize Q(s, a) on OOD states & actions (s, a)

Yu*, Kumar*, Rafailov, Rajeswaran, Levine, Finn. COMBO: Conservative Offline Model-Based Policy Optimization. '21

All come with theoretical performance guarantees!

Offline RL



Distribution shift between **policy in the dataset** and the **policy being optimized**.



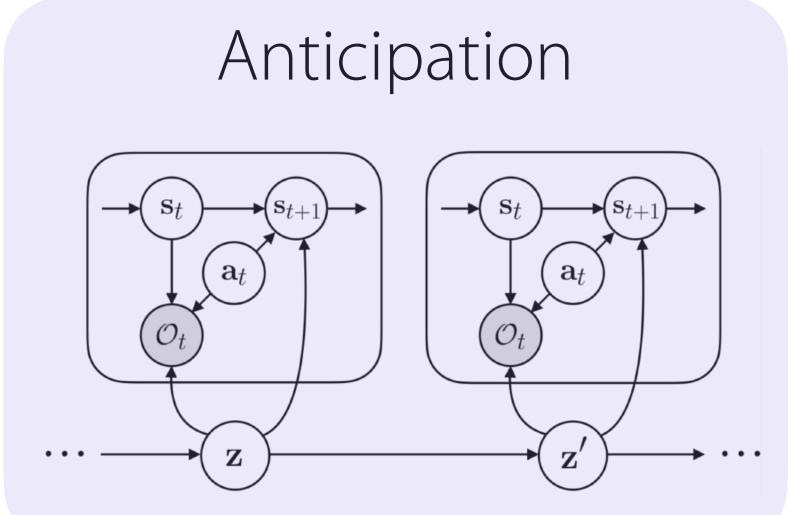
Rafailov*, Yu*, Rajeswaran, Finn. Offline Reinforcement Learning from Images with Latent Space Models, arXiv'20

Tools for tackling distribution shift

Pessimism

$$\min_{\theta} \sup_{Q \in U(P)} \mathbb{E}_{Q}[\ell(x, y; \theta)]$$





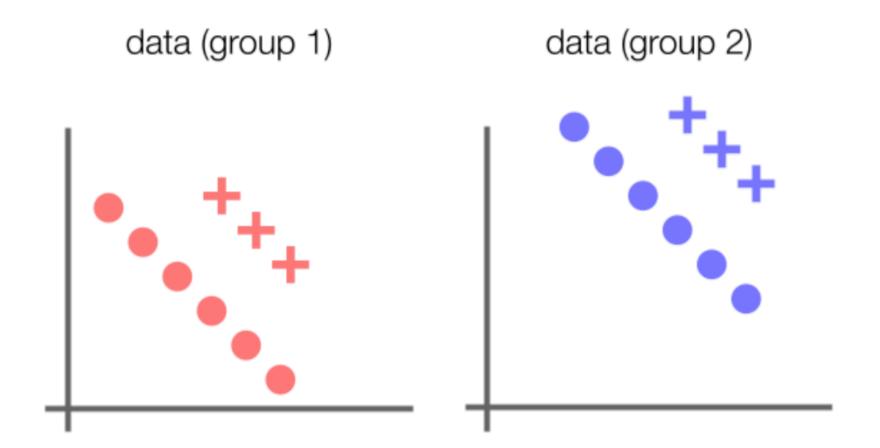
+ powerful tool for addressing spurious correlations and policy distribution shift

+ makes few assumptions

+ often possible to analyze theoretically

Introducing more assumptions

Why adapt? A simple example



Robustness approaches cannot solve this form of distribution shift.

robustness / invariance

If we see enough groups during training & see unlabeled points at test time:

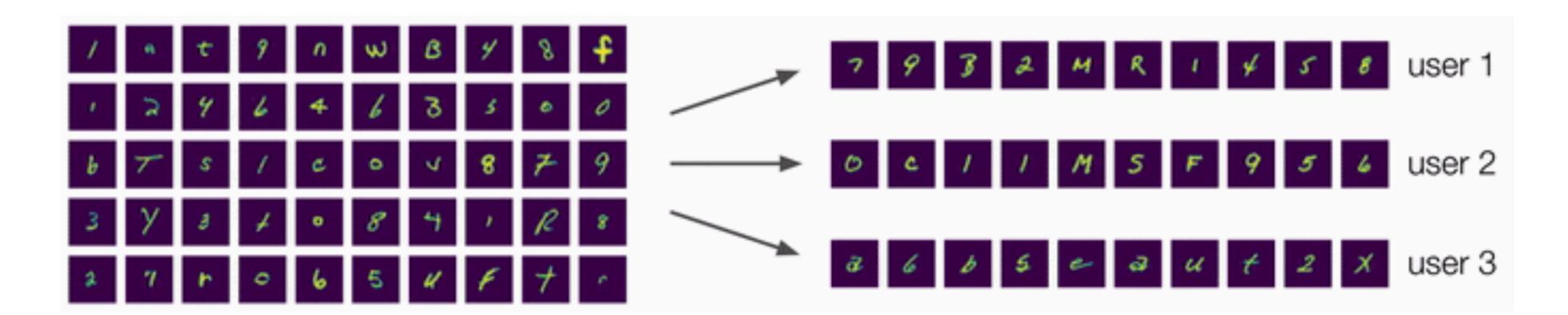
ARM (test time)



Potential solutions: domain adaptation, transfer learning, meta-learning

Motivating problem setting: federated learning

e.g. federated handwriting recognition



+ possibly many different target domains

+ want to adapt on the fly with minimal data, labels, and compute

Adaptive Risk Minimization

Test time

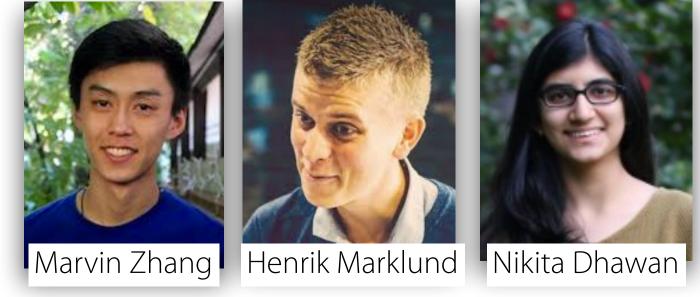
unlabeled data from new test domain (e.g. new user, different time-of-day, new place)

t 2 3 U 9 5 e 1 5 e 5 5 e 7 6 e 9

adapt model & infer labels



Assumption: test inputs from one group available in a batch or streaming.



Adaptive Risk Minimization

Train time

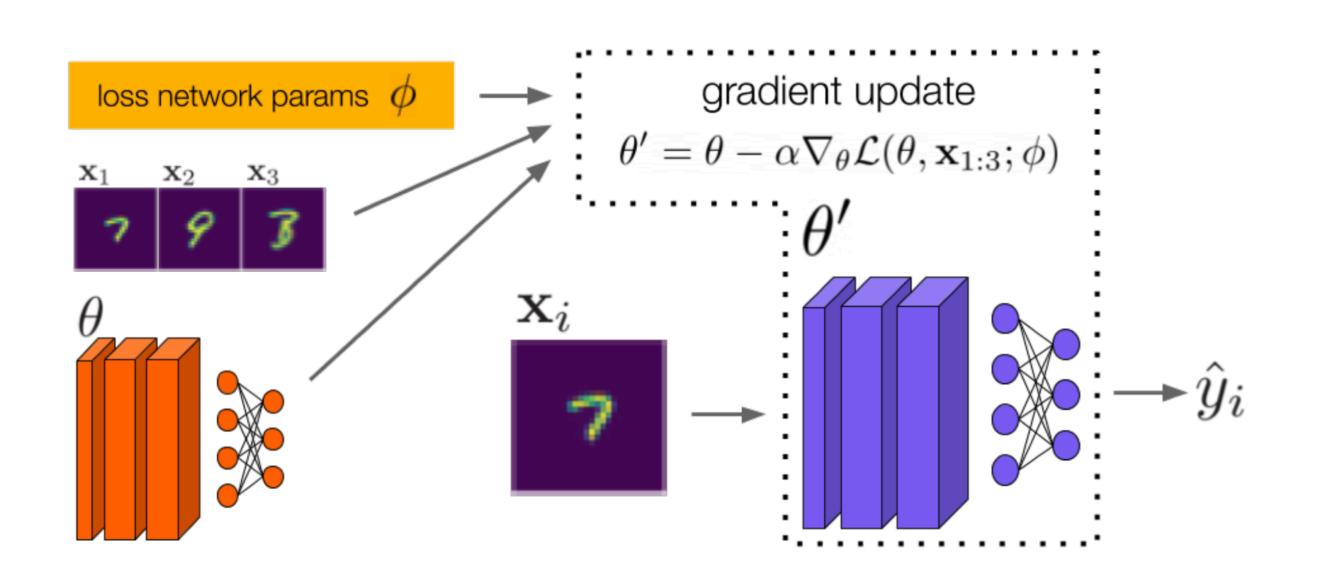
- 1. Separate training data into domains
- 2. Train for model that can adapt with only unlabeled examples.

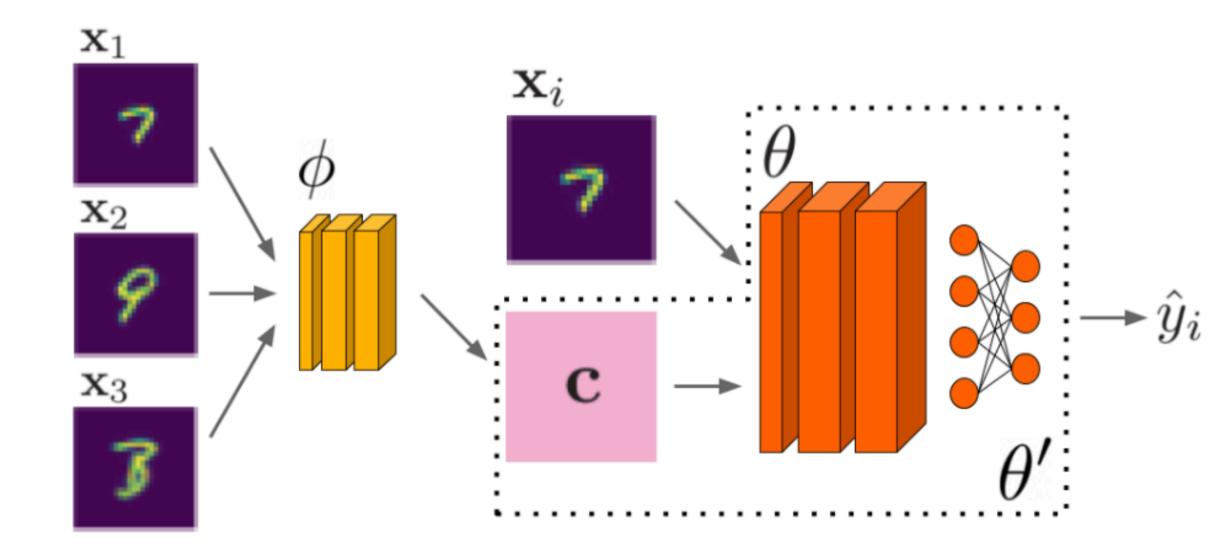
How to adapt with unlabeled data?

MAML with learned loss

or

meta-learning with context variable





Simplest setting: context = BN statistics

Zhang*, Marklund*, Dhawan*, Gupta, Levine, Finn. Adaptive Risk Minimization: A Meta-Learning Approach for Tackling Group Shift. '20

Experimental Comparisons

ERM - standard deep network training

DRNN - distributional robustness (Sagawa, Koh et al. ICLR '20)

UW - ERM but upweight groups to the uniform distribution

ARM - adaptive risk minimization

ARM-CML - adapt with context variable

ARM-BN - adapt using batch norm stats

ARM-LL - adapt with learned loss

Experiment 1. Federated Extended MNIST (Cohen et al. 2017, Caldas et al. 2019)

Distribution shift: adapt to new users with only unlabeled data

	FEMNIST				
Method	WC	Avg			
ERM UW* DRNN q-FedAvg [37]	62.9 ± 1.9 61.8 ± 0.9 58.1 ± 0.7 58.2 ± 1.0	80.1 ± 0.9 80.1 ± 0.3 74.4 ± 0.8 80.8 ± 0.3			
ARM-CML ARM-BN ARM-LL	67.8 ± 1.3 72.6 ± 0.3 69.6 ± 2.1	$85.7 \pm 0.3 \ 85.7 \pm 0.1 \ 85.6 \pm 0.5$			

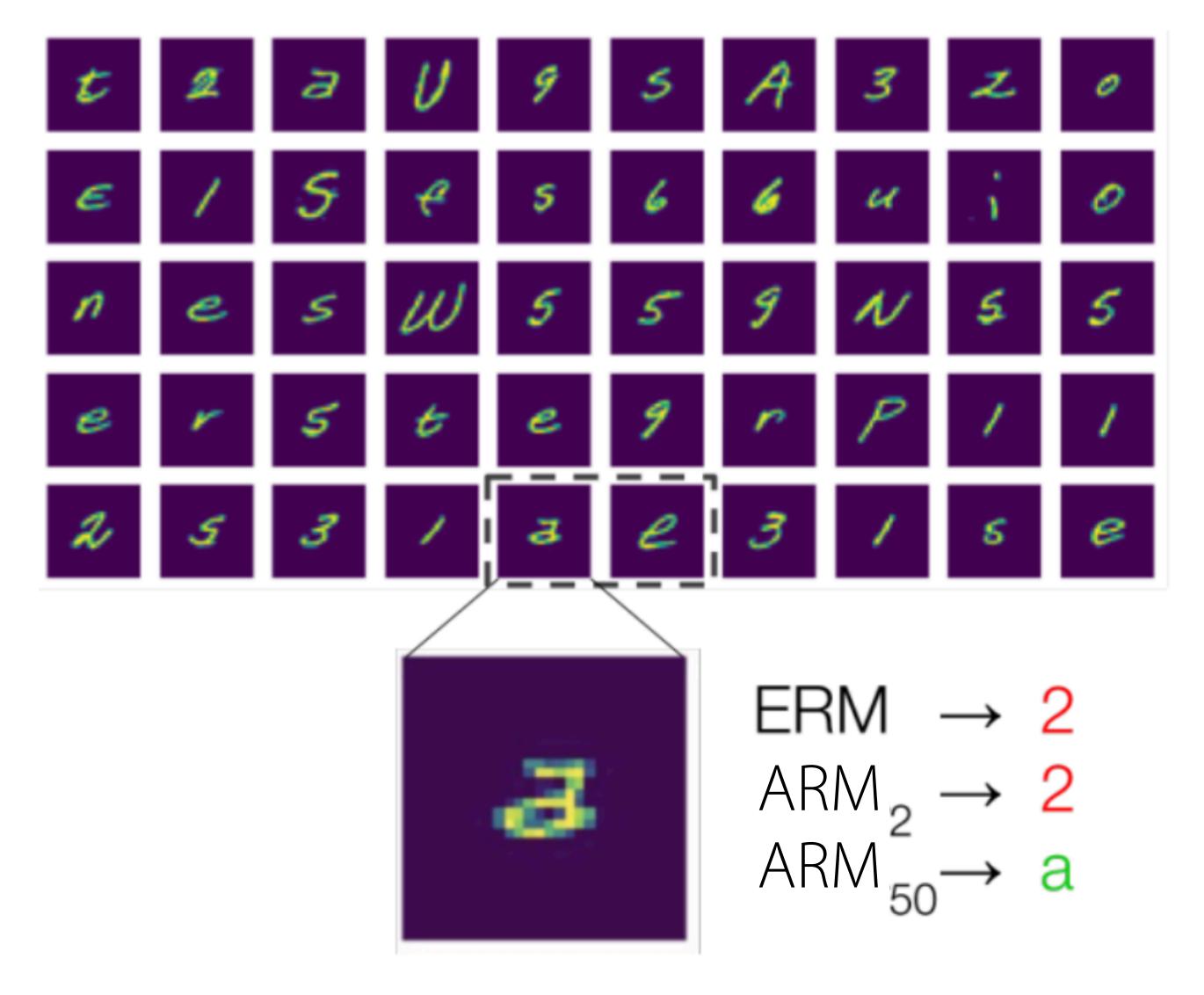
- + 5% improvement in average accuracy
- + 10% improvement in worst-case accuracy



Zhang*, Marklund*, Dhawan*, Gupta, Levine, Finn. Adaptive Risk Minimization: A Meta-Learning Approach for Tackling Group Shift. '20

Experiment 1. Federated Extended MNIST (Cohen et al. 2017, Caldas et al. 2019)

Distribution shift: adapt to new users with only unlabeled data



Zhang*, Marklund*, Dhawan*, Gupta, Levine, Finn. Adaptive Risk Minimization: A Meta-Learning Approach for Tackling Group Shift. '20

Experiment 2. CIFAR-C, TinyImageNet-C (Hendrycks & Dietterich, 2019)

Distribution shift: adapt to new image corruptions

(train using 56 corruptions, test using 22 disjoint corruptions)

	CIFAR-10-C		Tiny ImageNet-C		
Method	WC	Avg	WC	Avg	
ERM	49.6 ± 0.1	69.8 ± 0.4	19.3 ± 0.5	41.4 ± 0.2	+ 3-10% improvement
UW^*					average accuracy
DRNN	44.5 ± 0.5	70.7 ± 0.6	19.9 ± 0.3	41.6 ± 0.2	
ARM-CML	67.7 ± 0.5	79.2 ± 0.3	21.4 ± 0.2	43.3 ± 0.4	+ 8-21% improvement
ARM-BN	71.1 ± 0.1	80.9 ± 0.2	27.7 ± 0.2	44.9 ± 0.2	worst-case accuracy
ARM-LL	66.9 ± 0.2	75.7 ± 0.3	27.1 ± 0.3	44.2 ± 0.4	vvoist case accaracy

ARM - adaptive risk minimization

DDNINI dictributional robustness

Takeaway: Small amount of unlabeled data provides leverage for distribution shift.

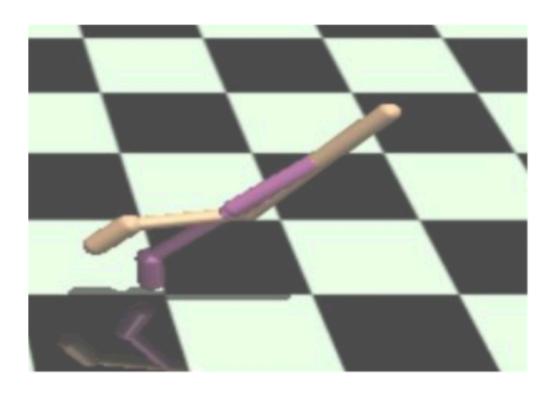
ERM - standard deep network training

UW - ERM but upweight groups to the uniform distribution

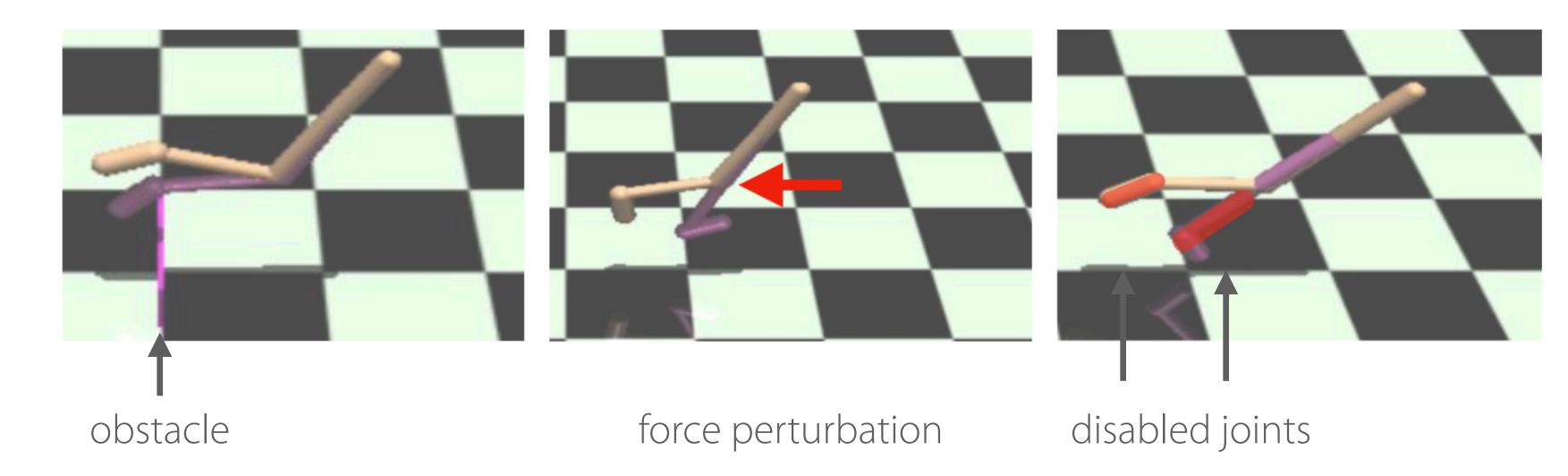
Zhang, iviaikiuna, ыпаман, бирга, Levine, гинг. Auaptive Risk Minimization: A Meta-Learning Approach for Tackling Group Shift. '20

(time-permitting)

one training environment M_{train}



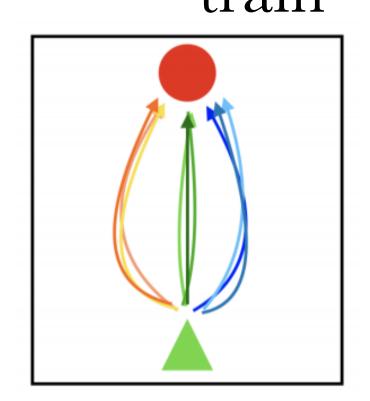
new test environments $M_{ m test}$



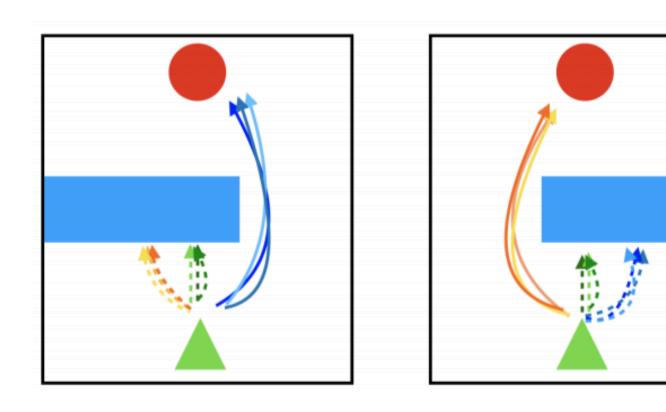
Can you learn to adapt without known training groups?

Simple idea:

Learn & remember multiple solutions to $M_{\rm train}$



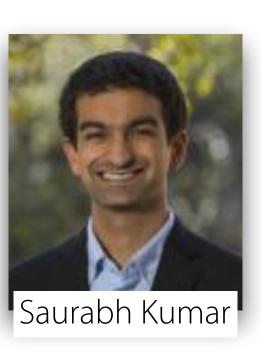
Adapt solution set to $M_{
m test}$



Assumption #1: ability to adapt with modest amount of data

Assumption #2: changes to the environment are local such that the optimal policy in $M_{\rm test}$ also does well in $M_{\rm train}$

e.g., few-shot robustness to local changes in obstacles, terrains, friction, etc



How to learn multiple solutions?

Learn controllable space of diverse policies that achieve return with ϵ of optimal

using latent variables $\pi_{\theta}(a \mid s, z)$

constrained optimization

Train time:

$$\arg \max_{\theta} \sum_{t=1}^{T} I(s_t; z) \text{ s.t. } \forall z, \underline{R_{\mathcal{M}}(\pi_{\theta})} \geq R_{\mathcal{M}}(\pi_{\mathcal{M}}^*) - \varepsilon$$

$$\mathcal{H}(s) - \mathcal{H}(s \mid z)$$

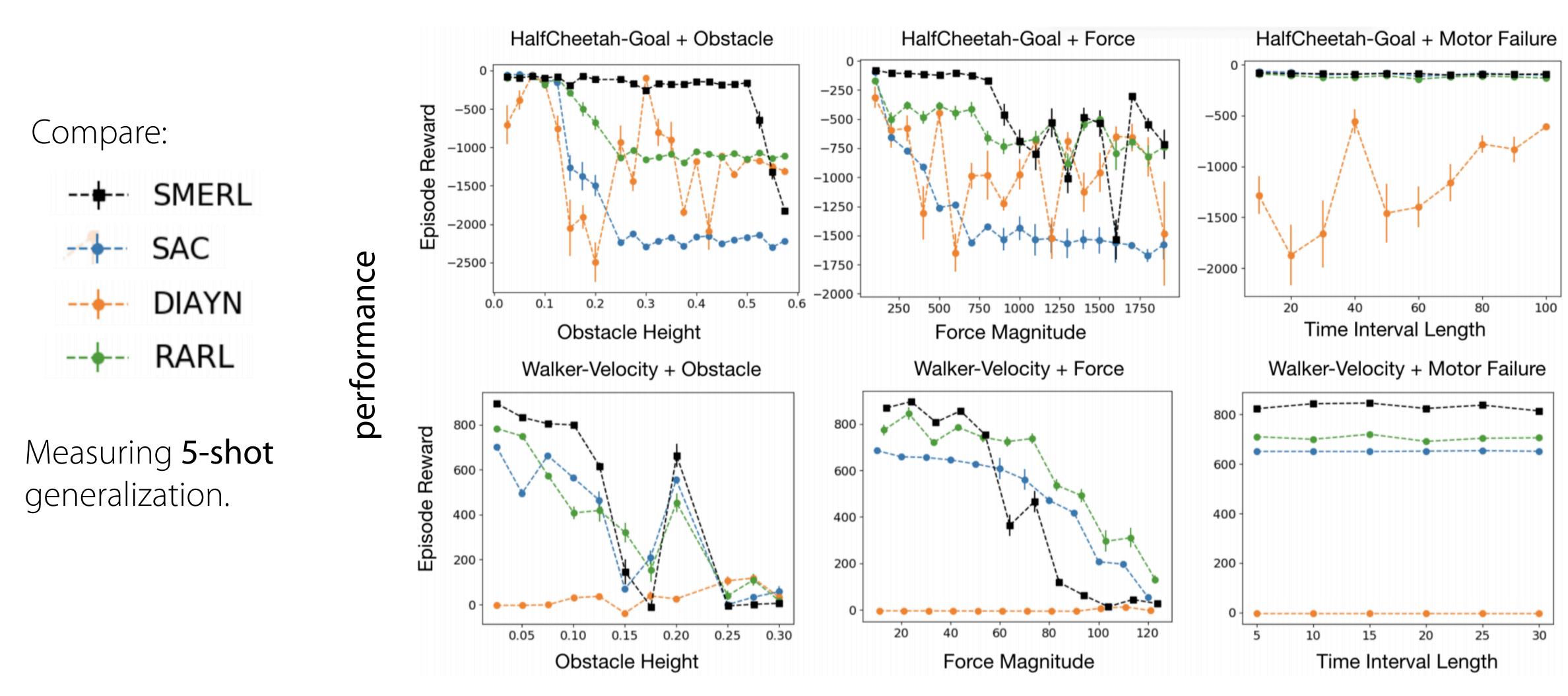
Test time: Roll-out K policies with different z. Return $\pi_{\theta}(a \mid s, z_i)$ for best performing z_i .

"structured maximum entropy RL" (SMERL)

Eysenbach, Gupta, Ibarz, Levine. DIAYN: Learning Skills without a Reward Function, ICLR '18

S. Kumar, A. Kumar, Levine, Finn. One Solution is Not All You Need: Few-Shot Extrapolation via Structured MaxEnt RL, NeurIPS '20

Testing Robustness to Obstacles, Perturbations, and Motor Failures

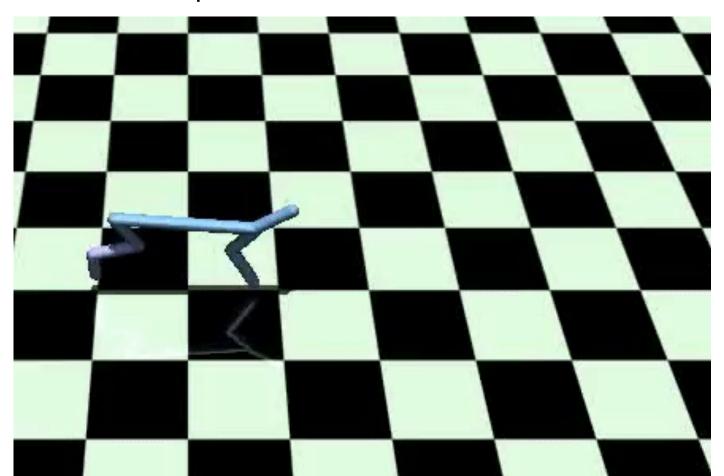


degree of environment change

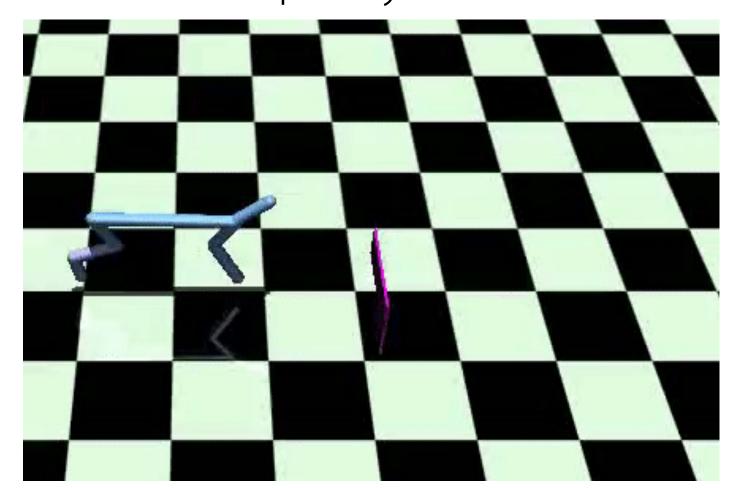
Pinto, Davidson, Sukthankar, Gupta. Robust Adversarial Reinforcement Learning, ICML '17

S. Kumar, A. Kumar, Levine, Finn. One Solution is Not All You Need: Few-Shot Extrapolation via Structured MaxEnt RL, NeurIPS '20

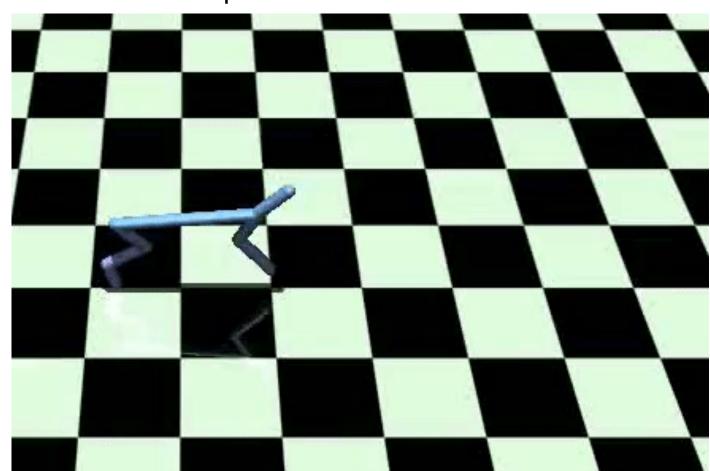
SAC policies at train time.



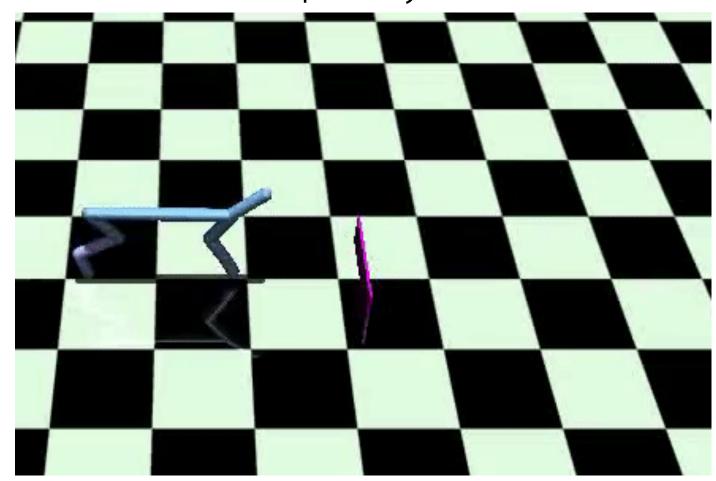
Best SAC policy at test time.



SMERL policies at train time.



Best **SMERL** policy at test time.

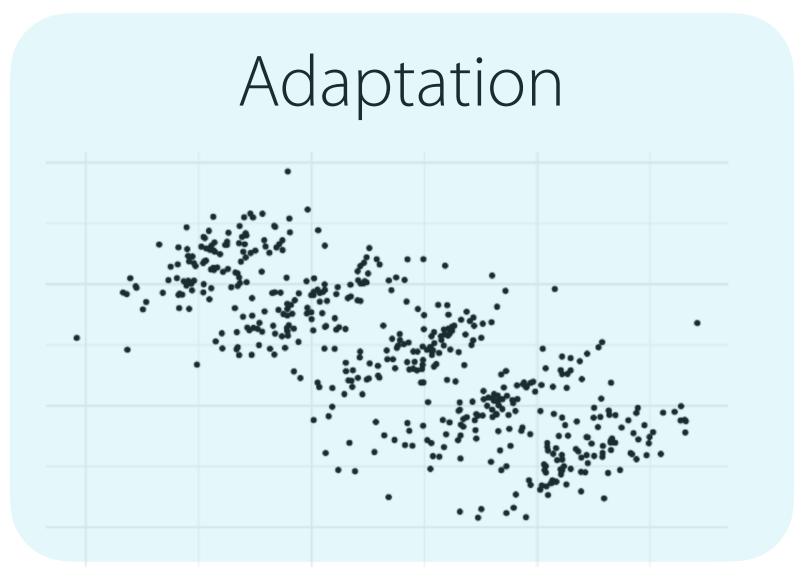


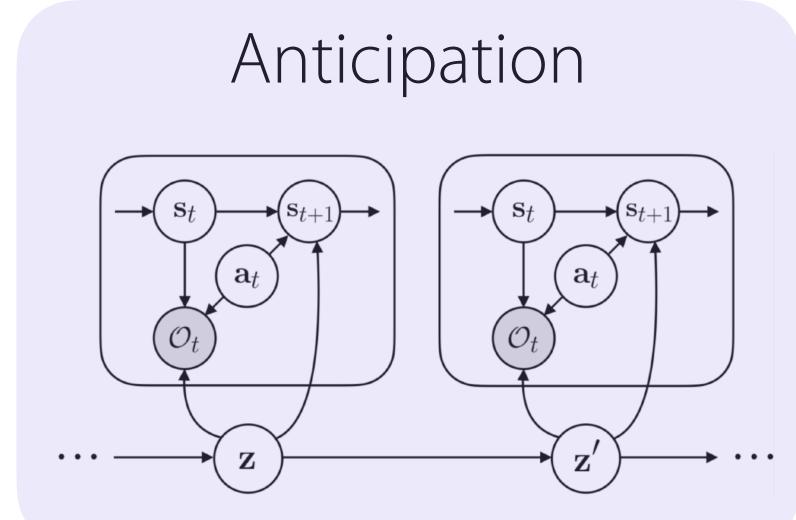
S. Kumar, A. Kumar, Levine, Finn. One Solution is Not All You Need: Few-Shot Extrapolation via Structured MaxEnt RL, NeurIPS '20

Tools for tackling distribution shift

Pessimism

$$\min_{\theta} \sup_{Q \in U(P)} \mathbb{E}_{Q}[\ell(x, y; \theta)]$$





- + powerful tool for addressing spurious correlations and policy distribution shift
 - + makes few assumptions
- + often possible to analyze theoretically

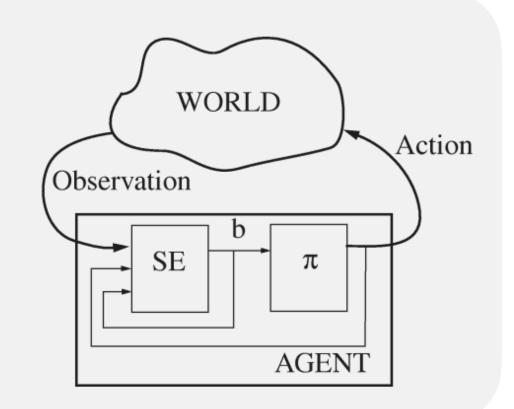
+ small amount of data can provide large amount of leverage

Introducing more assumptions

Handling continuous distribution shifts in RL

POMDPs (Kaelbling et al. '98)

- + covers this setting
- perhaps too general



Prior work?

BAMDP (Duff & Barto et al. '02)

HiP-MDP (Doshi-Velez & Konidaris et al. '16)

- + hidden parameters underlying transitions, rewards
- assume hidden parameters are stationary

Handling continuous distribution shifts in RL

POMDPs (Kaelbling et al. '98)

- + covers this setting
- perhaps too general

BAMDP (Duff & Barto et al. '02)

HiP-MDP (Doshi-Velez & Konidaris et al. '16)

- + hidden parameters underlying transitions, rewards
- assume hidden parameters are stationary

Dynamic parameter MDP (DP-MDP)

- -> hidden parameters underlying transition, rewards (fixed within an episode)
- -> parameters systematically shift across episodes

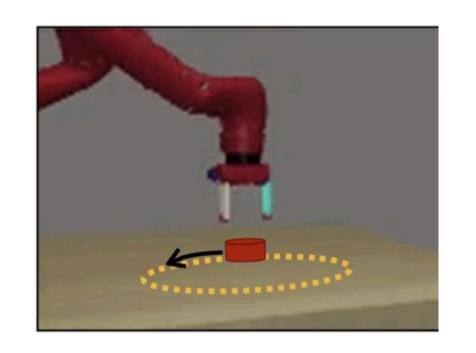


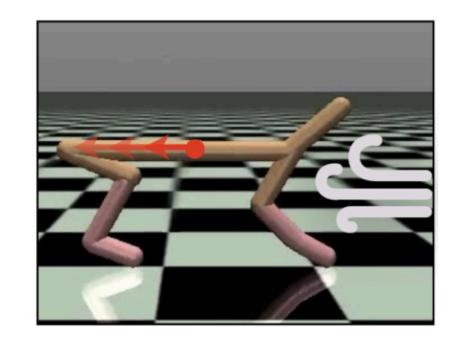
Annie Xie

Handling continuous distribution shifts in RL

How well do existing algorithms perform with such shifts?

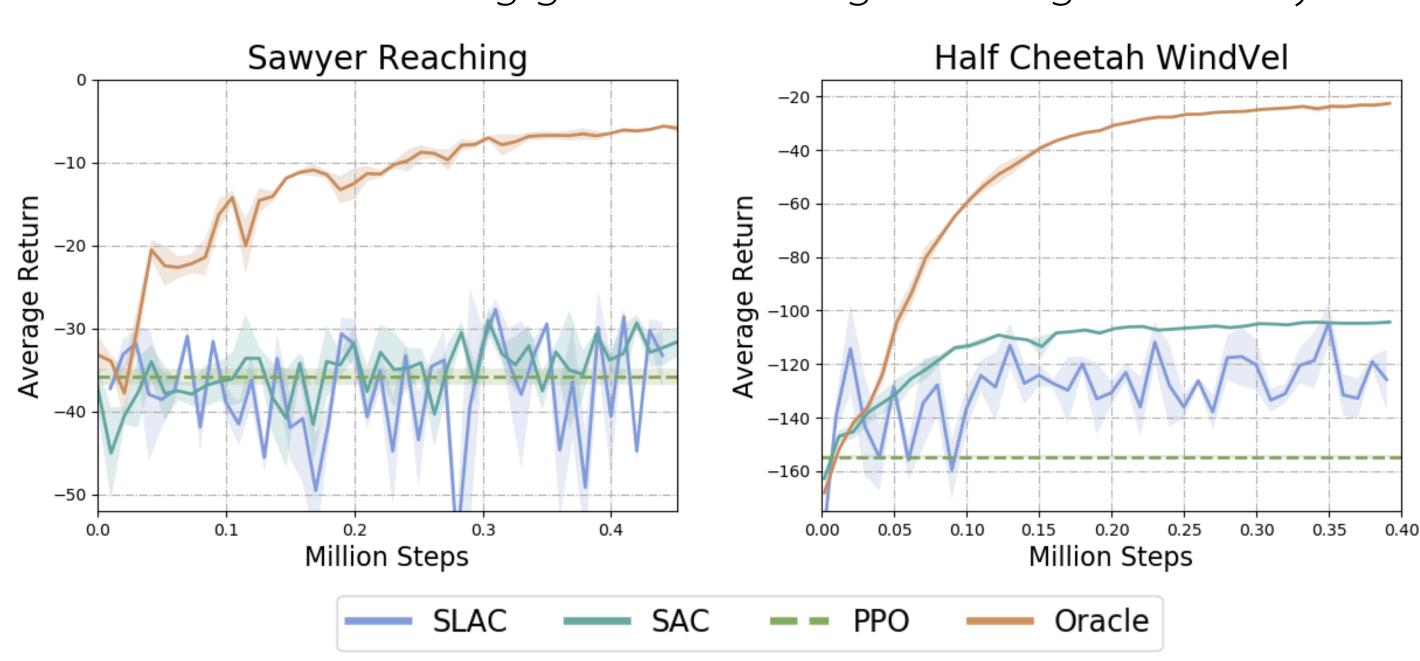
two simple settings:





shifting goal

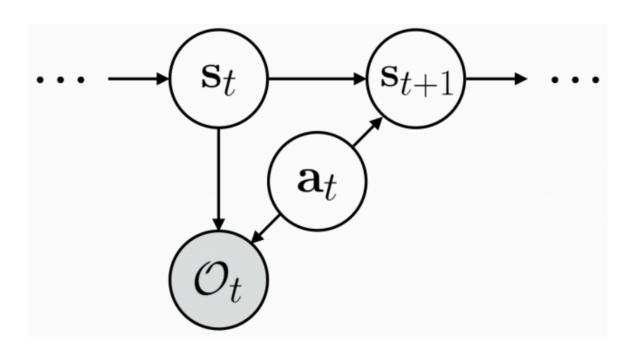
shifting wind + goal velocity



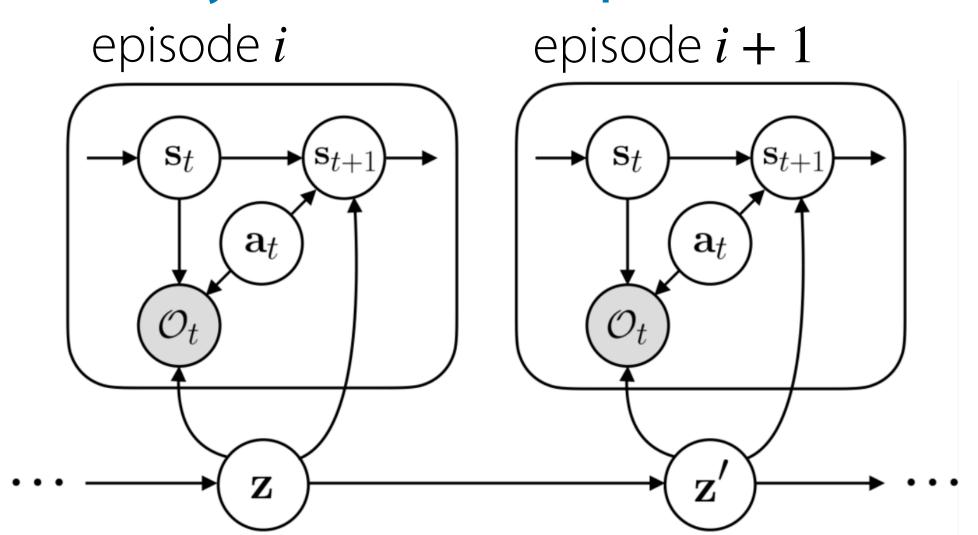
Xie, Harrison, Finn. Deep Reinforcement Learning amidst Lifelong Non-Stationarity, arXiv'20

standard RL "as inference"

(Todorov'08, Toussaint '09, Levine '18)



with dynamic latent parameter z



key assumption: predictability

model latent variable shifts

Resulting objective

$$\log p(\tau^{1:i-1}, \mathcal{O}_{1:T}^{i} = 1) \ge \mathbb{E}_q \left[\sum_{i'=1}^{i} \sum_{t=1}^{T} \log p(\mathbf{s}_{t+1}, r_t | \mathbf{s}_t, \mathbf{a}_t; \mathbf{z}^{i'}) - D_{\text{KL}}(q(\mathbf{z}^{i'} | \tau^{i'})) \mid\mid p(\mathbf{z}^{i'} | \mathbf{z}^{i'-1})) \right]$$

model dynamics & reward

$$+ \underset{p(\mathbf{z}^{i}|\tau^{1:i-1})}{\mathbb{E}} \left[\sum_{i=1}^{n} r(\mathbf{s}_{t}, \mathbf{a}_{t}; \mathbf{z}^{i}) - \log \pi(\mathbf{a}_{t}|\mathbf{s}_{t}, \mathbf{z}^{i}) \right]$$

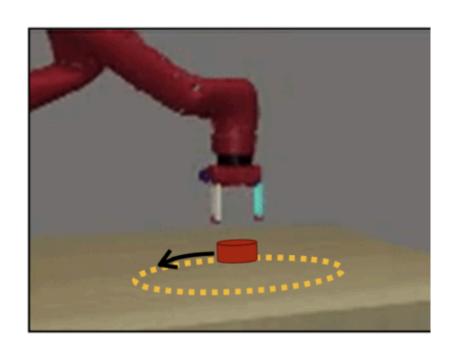
$$= \underset{\pi(\mathbf{a}_{t}|\mathbf{s}_{t}, \mathbf{z}^{i})}{\text{entropy regularized RL}}$$

lifelong latent actor-critic (LILAC)

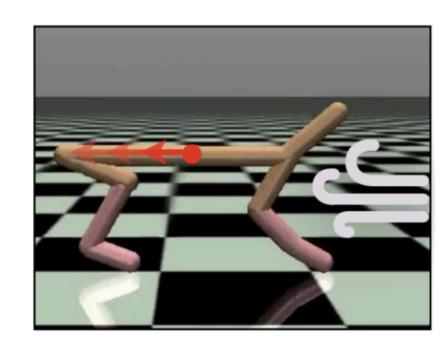
Xie, Harrison, Finn. Deep Reinforcement Learning amidst Lifelong Non-Stationarity, arXiv'20

Experiments

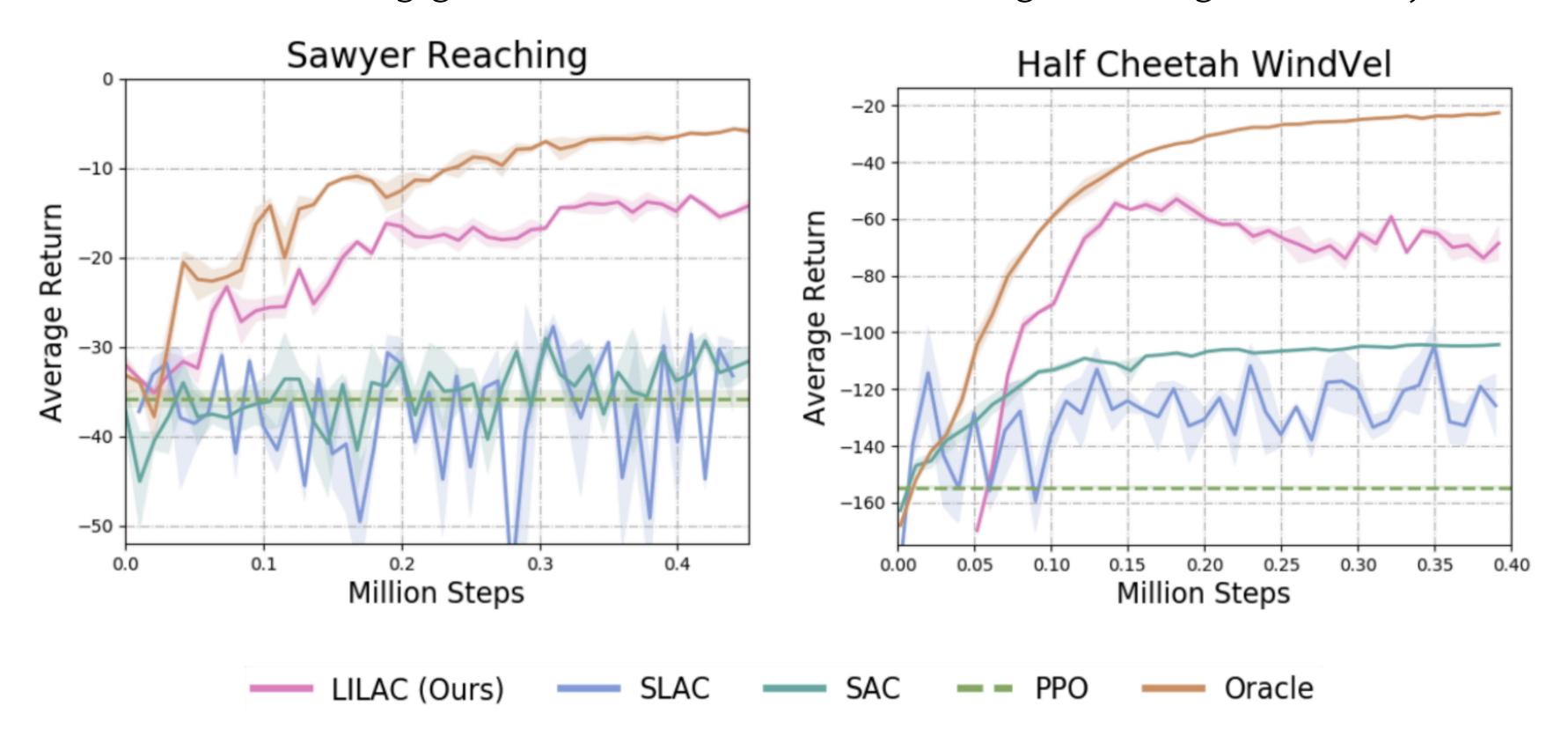
two simple settings:



shifting goal



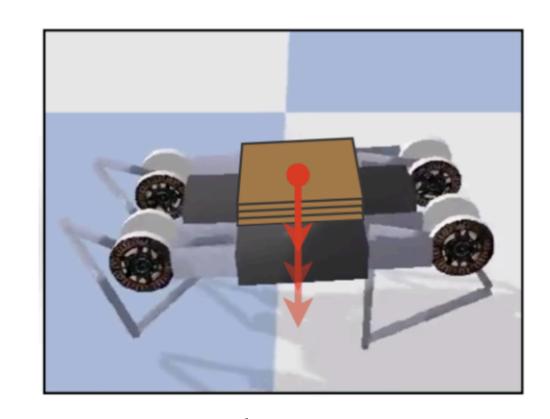
shifting wind + goal velocity



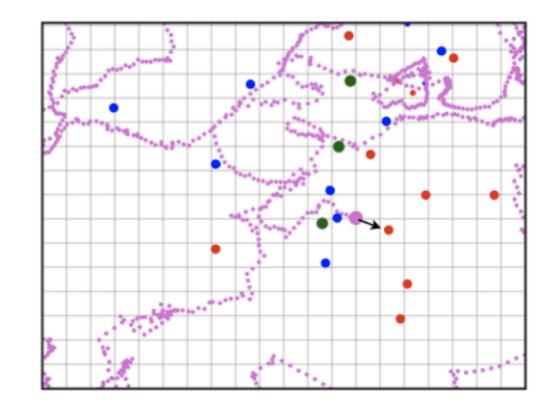
Xie, Harrison, Finn. Deep Reinforcement Learning amidst Lifelong Non-Stationarity, arXiv'20

Experiments

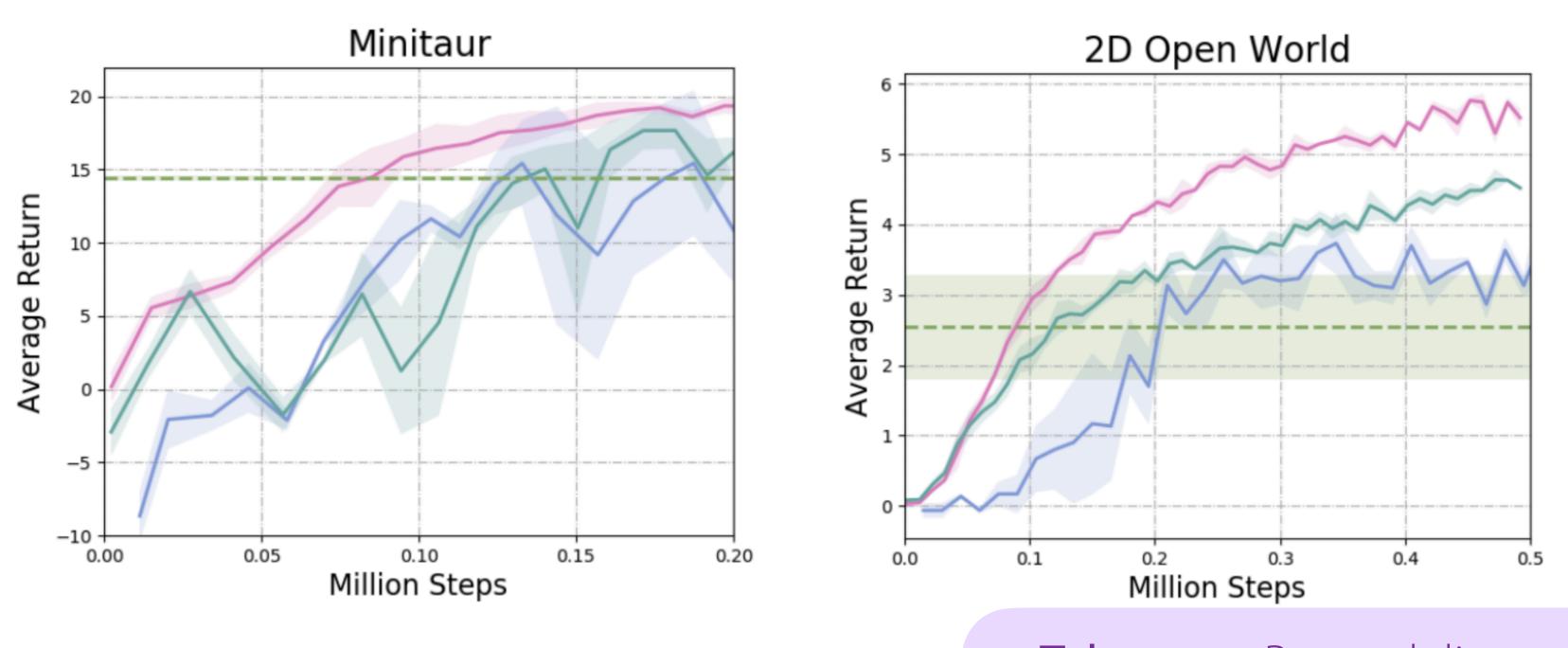
more challenging settings:



continuously varying mass



continuously varying wind + no resets



---- SLAC

Takeaway: By modeling and anticipating change, we can learn amidst non-stationarity.

Xie, Harrison, Finn. Deep Reinforcement Learning amidst Lifelong Non-Stationarity, arxiv zu

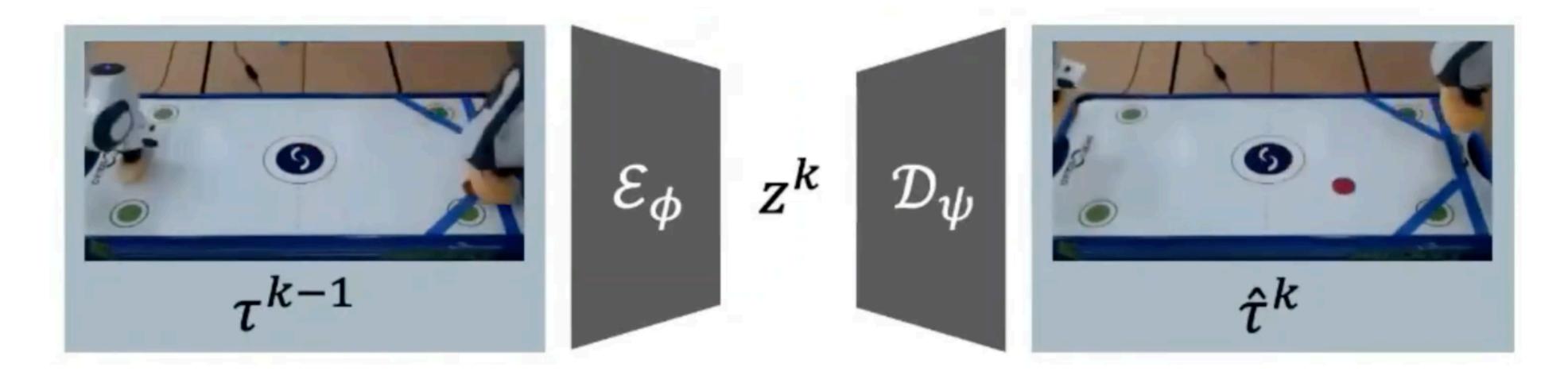
LILAC (Ours)

Extension to distribution shift caused by other agents.

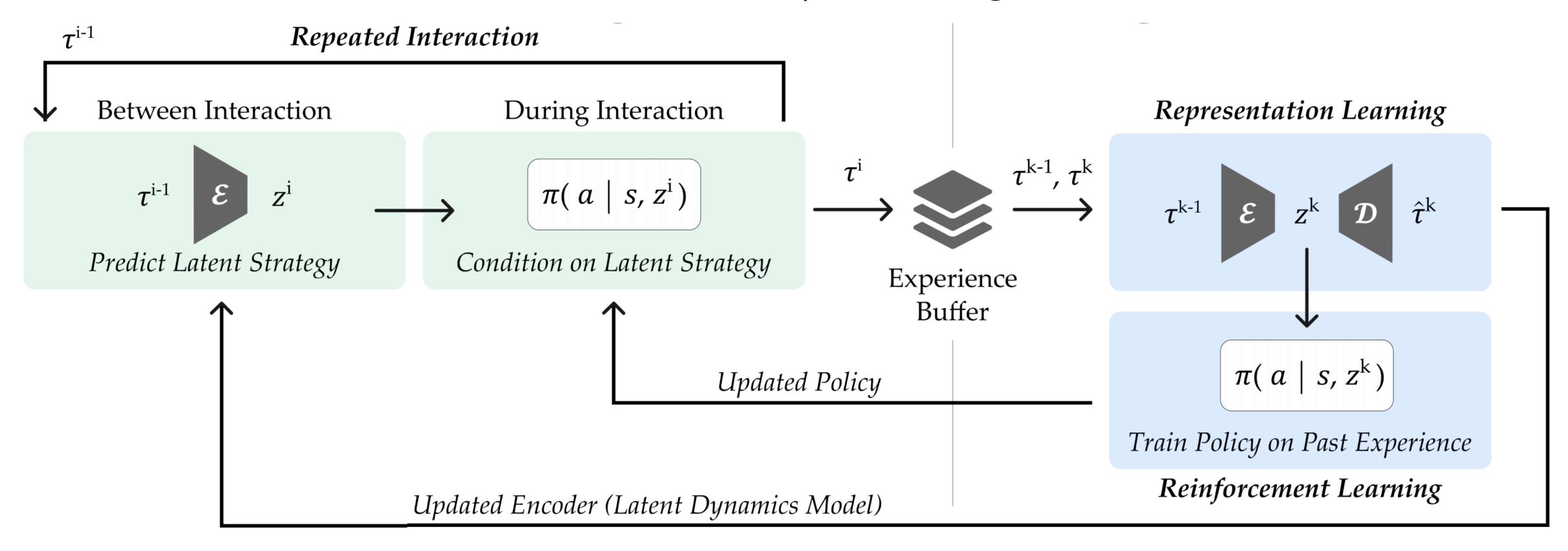
Key conceptual change: now agent's action can influence latent variable z

z captures other agent's strategy

Predict future z not only from past z, but from entire past trajectory.



Extension to distribution shift caused by other agents.



Maximize rewards within interactions to anticipate change.

Maximize rewards *across* interactions to *influence* change.

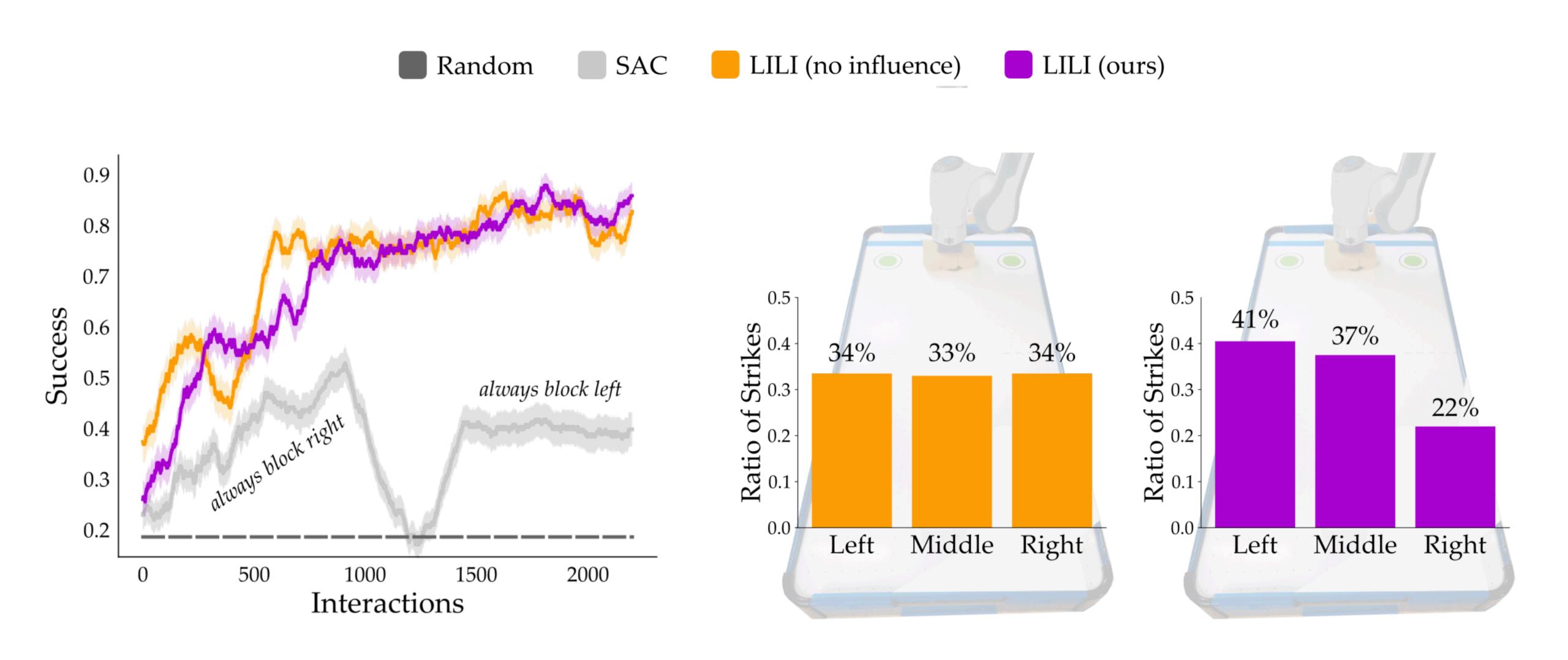
$$\max_{\theta} \sum_{i=1}^{\infty} \gamma^{i} \mathbb{E}_{\pi_{\theta}(a|s,z^{i})} \left[\sum_{t=1}^{H} R(s,z^{i}) \right]$$

Xie, Losey, Tolsma, Finn, Sadigh. *Learning Latent Representations to Influence Multi-Agent Interaction*, CoRL '20





Air Hockey Quantitative Results

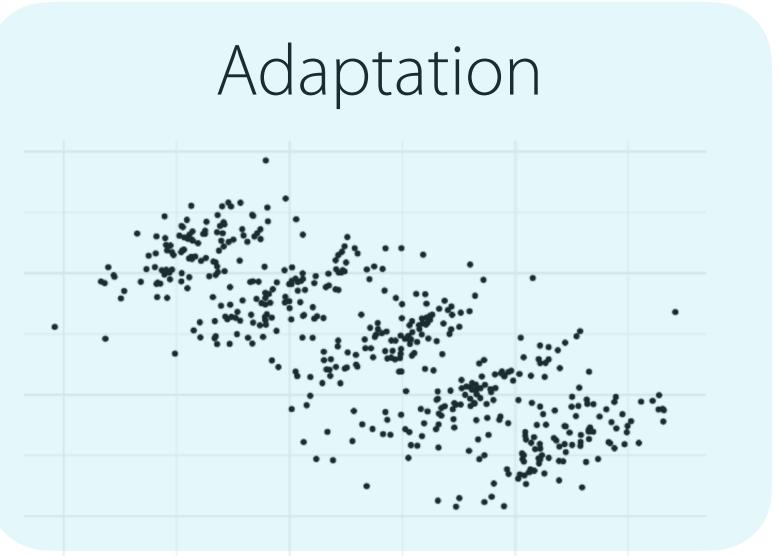


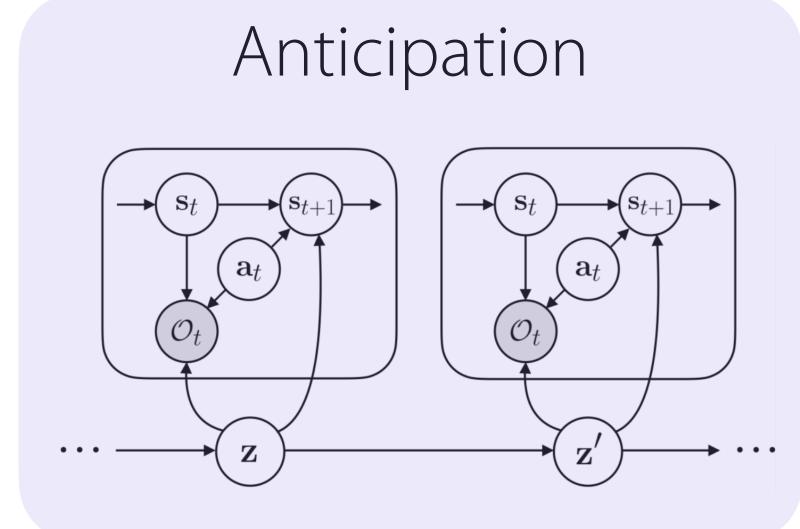
Xie, Losey, Tolsma, Finn, Sadigh. Learning Latent Representations to Influence Multi-Agent Interaction, CoRL '20

Tools for tackling distribution shift

Pessimism

$$\min_{\theta} \sup_{Q \in U(P)} \mathbb{E}_{Q}[\ell(x, y; \theta)]$$





+ powerful tool for addressing spurious correlations and policy distribution shift

+ makes few assumptions

+ often possible to analyze theoretically

+ small amount of data can provide large amount of leverage

+ can **get ahead** of the shift in **predictably** changing environments

+ can even **influence** the shift in some environments

Introducing more assumptions



Working on distribution shift?



Benchmark with distribution shifts arising in real-world applications.

wilds.stanford.edu

Questions?