



**MATT ANDO**  
University of Illinois

*Equivariant elliptic cohomology, loop group representations, and the fibered  
WZW models of Distler and Sharpe*

By work of Grojnowski and myself, and independently Lurie, the Verlinde algebra at level  $k$  of a simple and simply connected lie group  $G$  appears in elliptic cohomology as the  $k$ -twisted  $G$ -equivariant elliptic cohomology of a point. We'll describe this result, and explain how it provides insight on the equivariant string orientation. Then we'll explain how loop group representations give rise to exotic elliptic genera, which have been studied by Kefeng Liu and myself. Recently these Distler and Sharpe have given a physical interpretation of these genera, and David Lipsky has made significant progress towards constructing the corresponding enriched topological field theories.

**VIGLEIK ANGELTVEIT**  
University of Chicago

*the Algebraic K-theory of  $Z/p^n$*

While the K-theory of the the  $p$ -adic integers is well understood, the K-theory of  $Z/p^n$  has remained mysterious. I will present some partial results about  $K(Z/p^n)$ , obtained from the cyclotomic trace map to topological cyclic homology. Topological cyclic homology is built from topological Hochschild homology, and I will explain how a filtration of a ring  $R$  gives a way of understanding various spectra related to  $\mathrm{THH}(R)$ . Applied to  $Z/p^n$  filtered by powers of  $p$ , this gives a relationship between the computation of  $K(F_p[x]/x^n)$ , which is known, and  $K(Z/p^n)$ .

**CLARK BARWICK**  
Harvard University

*Equivariant derived algebraic geometry and K-theory*

I describe the manner in which some of the key ideas of derived algebraic geometry may be applied in the context of equivariant E-infinity ring spectra, and I discuss some applications of the resulting 'equivariant derived algebraic geometry' to a conjecture of Gunnar Carlsson about algebraic K-theory.



**MARK BEHRENS**  
MIT

*The homotopy groups of the  $E(2)$ -local sphere at large primes, revisited*

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**ANDREW BLUMBERG**  
University of Texas

*THH of Waldhausen categories and the localization sequence for  $THH(ku)$*

In this talk, I will describe a theory of topological Hochschild homology (and topological cyclic homology) for Waldhausen categories. These theories satisfy the analogues of Waldhausen's theorems for K-theory. In particular, there are two different versions of the localization sequence; one more closely related to the localization of Thomason-Trobaugh, the other generalizing the localization studied by Hesselholt and Madsen. I will describe the conceptual reasons for the existence of these distinct localization sequences, and discuss an application to constructing the localization sequence  $THH(Z) \rightarrow THH(ku) \rightarrow THH(ku|KU)$ . This is joint work with Mandell.

**RALPH COHEN**  
Stanford University

*String Topology and Calabi-Yau structures in (infinity) categories*

In this talk I will describe some categorical aspects of string topology. In particular I will describe the String Topology 'Fukaya -category' of a given manifold  $M$ , as defined in joint work with Blumberg and Teleman. The objects are submanifolds of  $M$  and the morphisms are equivalent to chains (or spectra) of spaces of paths connecting the submanifolds. We describe Lurie's notion of a Calabi-Yau object in a symmetric monoidal (infinity) 2-category, and show that the string topology category fits this definition. In so doing, this leads to the question of the role of Koszul duality in topological field theories, and I'll state some conjectures in this regard.

**JOHN FRANCIS**  
Northwestern University

*$E_n$  geometry*



**ANDRÉ HENRIQUES**  
Utrecht University

*Composition of defects*

There are many mathematical definitions that correspond to the physical notion of conformal field theory. Conformal nets is one of them. A defect is a thing one can put between two different conformal field theories, and should be thought of as a kind of 'bimodule'. Even though the notion of defect can be made sense of in many different models, defects between conformal nets are the only ones that can always be composed. Proving that the composition of two defects is again a defect turns out to be extremely difficult and technical. After presenting the definition, I will point out some of the difficulties and sketch how we deal with them. This is joint work with Arthur Bartels and Chris Douglas.

**PO HU**  
Wayne State University

*Equivariant and Real motivic homotopy theory*

I will discuss the foundations of  $G$ -equivariant motivic stable homotopy theory, where  $G$  is a finite group. As an application, I will talk about our proof of a completion conjecture for Karoubi's Hermitian K-theory. As another application, I will discuss the motivic Real cobordism spectrum  $MGLR$ . (Joint with I. Kriz and K. Ormsby)

**DAN ISAKSEN**  
Wayne State University

*Stable motivic homotopy groups over  $\text{Spec } R$*

**NIKO NAUMANN**  
University of Regensburg

*Secondary Invariants for String Bordism and  $tmf$*

Using spectral invariants of Dirac operators we construct a secondary version of the Witten genus, a bordism invariant of string manifolds in dimensions  $4m - 1$ . We prove a secondary index theorem which relates this global-analytic construction with its homotopy-theoretic analog. The latter will be calculated through its factorization over topological modular forms. This is joint work with Ulrich Bunke.



**MIKE HILL**  
University of Virginia

*Equivariant Computations and the Kervaire Invariant*

**GERD LAURES**  
University of Bochum

*How to compute Toda brackets with modular forms*

The talk explains how congruences between modular forms can be used to compute Toda brackets. The passage from homotopy classes to modular forms is furnished by the  $f$ -invariant, an tertiary invariant based on  $TMF$ . The talk derives some formulas which generalize the ones obtained by Frank Adams for the classical  $e$ -invariant.

**MICHAEL MANDELL**  
University of Indiana

*Cochains and Homotopy Theory*

It is known that the  $E$ -infinity algebra structure on the cochain complex of a space contains all the homotopy theoretic information about the space, but for partial information, less structure is needed. I will discuss some ideas and preliminary work in this direction.

**CHRISTIAN SCHLICHTKRULL**  
University of Bergen

*Diagram spaces and symmetric spectra*

**NEIL STRICKLAND**  
University of Sheffield

*Self-injective rings and the Generating Hypothesis*

Let  $R_*$  be the  $p$ -completion of the ring of stable homotopy groups of spheres. It is known that Freyd's Generating Hypothesis would imply that  $R_*$  is injective as a module over itself, that the only finitely-presented ideals in  $R_*$  are 0 and  $R_*$ -itself, and that a certain category of  $R_*$ -modules is naturally triangulated. The first property is especially remarkable, because self-injective rings are usually very small (say finite-dimensional over a field) whereas  $R_*$  is large. I will explain some joint work with Leigh Shepperson, in which we have investigated a number of instructive examples of rings sharing some of the listed conjectural properties of  $R_*$ .



**GIANCALO TABUADA**  
University of Lisboa

*Non-commutative motives*

In this talk I will describe the construction of various categories of non-commutative motives in the spirit of Drinfeld-Kontsevich's non-commutative algebraic geometry program. In the process, I will establish conceptual characterizations of various higher algebraic K-theories. As an illustration, I will use these results to obtain the higher Chern characters and the cyclotomic trace map. Parts of this work are the result of a collaboration with D.-C. Cisinski, and with A. J. Blumberg and D. Gepner.