

# Exploiting efficiently different parallel architectures

- 1. Need for **parallel** computations*
- 2. Importance of using **standard tools and templates***
- 3. Optimizing the computations **on one processor***
- 4. Parallel runs on **shared memory computers***
- 5. Parallel runs on **distributed memory computers***
- 6. Parallel runs on **more advanced architectures***
- 7. Numerical results*
- 8. Conclusions*

## The competition between computers and scientists: the computers are always behind!

“Although the fastest computers can execute millions of operations in one second they are always too slow. This may seem a paradox, but the heart of the matter is: the bigger and better computers become, the larger are the problems scientists and engineers want to solve”.

Arthur Jaffe:

“*Ordering the universe: The role of mathematics*”,  
SIAM Review, Vol. 26 (1984), p. 478.

# References

- 1. I. Dimov, K. Georgiev, Tz. Ostromsky, R. van der Pas and Z. Zlatev:** “*Computational Challenges in Numerical Treatment of Large Air Pollution Models*”, The Mathematical Preprint Server, <http://www.mathpreprints.com>, 2001.
- 2. K. Georgiev and Z. Zlatev:** “*Parallel Sparse Matrix Algorithms for Air Pollution Models*”. Parallel and Distributed Computing Practices, **Vol. 2 (1999)**, 429-443.
- 3. W. Owczarz and Z. Zlatev:** “*Parallel Matrix Computations in Air Pollution Modelling*”, Parallel Computing, **Vol. 28(2002)**, 355-368.

Two more papers in the Mathematical Preprint Server

# Existing versions of DEM

<u>Species</u>	<u>32x32x10</u>	<u>96x96x10</u>	<u>288x288x10</u>	<u>480x480x10</u>
1	<b>10240</b>	<b>92160</b>	<b>829440</b>	<b>2304000</b>
2	<b>20480</b>	<b>184320</b>	<b>1658880</b>	<b>4608000</b>
10	<b>102400</b>	<b>921600</b>	<b>8394400</b>	<b>23040000</b>
35	<b>358400</b>	<b>3225600</b>	<b>29030400</b>	<b>80640000</b>
56	<b>573440</b>	<b>5169960</b>	-	-
168	<b>1720320</b>	<b>15482880</b>	-	-

Corresponding **2-D** versions exist  
PC (or workstations) vs parallel computers

# “Non-optimized” code

<u>Module</u>	<u>Comp. time</u>	<u>Percent</u>
Chemistry	16147	83.09
Advection	3013	15.51
Initialization	1	0.00
Input operations	50	0.26
Output operation	220	1.13
<b>Total</b>	<b>19432</b>	<b>100.00</b>

**It is important to optimize the chemical part for this problem**

**2-D version on a 96x96 grid (50 km x 50 km)**

**The time-period is one month**

**The situation changes for the fine resolution models (the advection becomes very important)**

**The computing time is measured in seconds**

**One processor is used in this run**

# “Optimized” chemistry for the fine resolution 2-D code

<u>Module</u>	<u>Comp. time</u>	<u>Percent</u>
Chemistry	<b>43.01</b>	<b>29</b>
Advection	<b>95.78</b>	<b>64</b>
Initialization	<b>0.59</b>	<b>0</b>
Input operations	<b>1.18</b>	<b>0.6</b>
Output operations	<b>9.82</b>	<b>6</b>
<b>Total</b>	<b>149.80</b>	<b>100</b>

**It is important to optimize the advection part for this problem**

**2-D version on a 480x480 grid (10 km x 10 km)**

**Time-period: one year**

**The computing time is measured in hours**

**Sixteen processors are used in this run**

# Ordering the computations

1. Cost of arithmetic operations **vs** cost of loading and storing the involved in the arithmetic computations quantities in old days and in the modern hierarchical memory architectures
2. It is important to work as long as possible with data which are in cache (preferably in the **fastest** cache when several levels of cache memory are available)
3. Difficult task (because we are not able to tell the computer “**put these data in cache and hold them there until we tell you to exchange them with other data**”)
4. While we have not a **direct** control of the contents of the cache memory, reordering the arithmetic operations can give us some possibility to do this **indirectly**.

# Traditional ways of carrying out the chemical reactions

## ■ Using a “box” subroutine

```
DO I=1,N
```

! Template 1

Call the box routine to perform all chemical reactions at point I

```
END DO
```

## ■ Vectorizing the computations

```
DO J=1,NSPECIES
```

! Template 2

```
DO I=1,N
```

Perform the chemical reactions involving species J at point I

```
END DO
```

```
END DO
```

## ■ The array containing the concentrations: C(N,NSPECIES)

# Trying to exploit better the cache memory

- $C(N,NSPECIES)$ ,  $C\_SMALL(NSIZE,NSPECIES)$ ,  
 $NSIZE=N/NCHUNKS$

**DO ICHUNK=1,NCHUNKS**

**! Template 3**

**Copy from the large arrays to the small arrays**

**DO J=1,NSPECIES**

**DO I=1,NSIZE**

**Perform the reactions involving species J for point I**

**END DO**

**END DO**

**Copy from small arrays to large arrays**

**END DO**

- **Saving storage**

# Effect of implementing chunks

Size of chunks	Fujitsu	SGI Origin 2000	Power Mac G4	IBM SMP
1	76964	14847	6952	10313
48	2611	12114	5792	5225
9216	494	18549	12893	19432

- The choice **NSIZE=1** is a disaster on a vector computer, but not so bad on the parallel computers
- The maximal size of **NSIZE** is the best choice on a vector computer, but the worst choice on the parallel computers
- Medium sizes of **NSIZE** give good results on all parallel computers
- The optimal choice of **NSIZE** will depend on the computer used

# Parallel runs on shared memory computers

Parallel tasks arise in a natural way after the splitting procedure

## Number of the parallel tasks

- Advection sub-model:  $NS \times NZ$  very large tasks
- Chemistry sub-model:  $NX \times NY \times NZ$  small tasks
- Vertical exchange:  $NX \times NY \times NS$  small tasks

Achieving portability: by using only OpenMP directives

Computers used: **SGI Origin 2000** (up to 32 processors)  
**SUN** (up to 16 processors)

# Numerical results achieved on shared memory computers

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
1	42907	-	-
<u>32</u>	<u>2215</u>	<u>19.37</u>	<u>61%</u>

(96x96x10) version on **SGI Origin 2000** (NSIZE=48)

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
1	56615	-	-
<u>16</u>	<u>9637</u>	<u>14.67</u>	<u>92%</u>

(96x96x10) version on **SUN** (NSIZE=48)

# Parallel runs on distributed memory computers

Portability: achieved by using **MPI** (Message Passing Interface); **PVM** can also be used

The space domain is divided into **p** sub-domains (**p** being the number of processors). **Each processor works on its own sub-domain**

**Pre-processing**

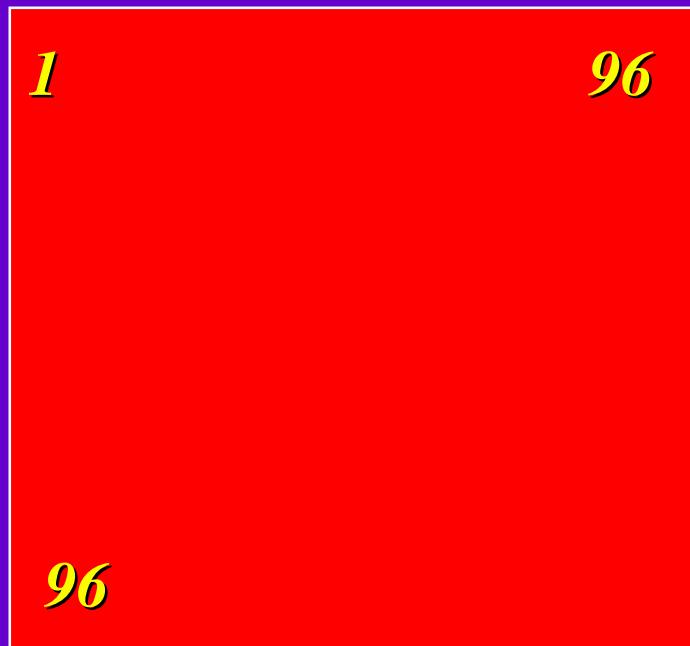
**Post-processing**

**Reduction** of the communications during the actual computations

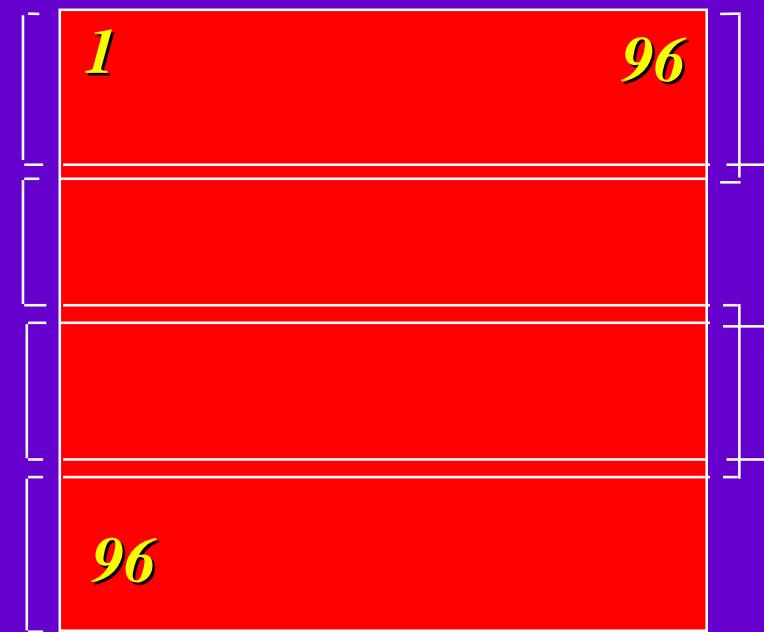
**Owczarz and Zlatev (2002)**

# Division into domains

Concentrations for an arbitrary  
chemical compound



Dividing into sub-domains  
Chemistry      Advection



# Distributed memory computers used in the runs

- IBM SP (up to 32 processors)
- Cray T3E (up to 64 processors)
- Macintosh Power PC Cluster (up to 8 processors)

Cray T3E in Edinburgh, Mac PC Cluster in Sofia, IBM SP in Copenhagen

# Numerical results achieved on distributed memory computers

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
8	54978	-	-
32	15998	3.44	86%

(480x480) version on IBM SP (NSIZE=48)

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
32	18306	-	-
64	9637	1.90	95%

(480x480) version on T3E (NSIZE=48)

# Numerical results achieved on distributed memory computers

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
1	5792	-	-
8	787	7.36	92%

(96x96) version on Macintosh Power PC Cluster  
(NSIZE=48)

# Parallel runs on more advanced parallel computers

- Computers which combine properties of shared memory computers and distributed memory computers
- Typical representative: **IBM SMP**
- Several nodes are available. Each node contains certain number of processors (4, 8 or 16)
- Shared memory mode (**OpenMP**) can be used within a node
- Distributed memory mode (**MPI**) has to be used across the nodes

# Numerical results achieved on more advanced computers

<u>Processors</u>	<u>Comp. time</u>	<u>Speed-up</u>	<u>Efficiency</u>
1	5225	-	-
<u>16</u>	<u>424</u>	<u>12.32</u>	<u>72%</u>

(96x96) version on IBM SMP with 2 nodes  
(8 processors per node)

NSIZE=48 was used in this run

# Do we need OpenMP?

<u>Process</u>	<u>OpenMP version</u>	<u>MPI version</u>
Start	0.1	12.4
Wind + Sinks	5.8	2.2
Advection	101.2	30.1
Chemistry	232.6	161.9
Output	54.2	4.1
Communications	0.0	46.9
Pre-processing	0.0	11.1
Post-processing	0.0	12.0
<b>Total time</b>	<b>394.1</b>	<b>270.5</b>

Run on 16 processors of SGI Origin 2000

The 2-D version on 96x96 grid has been used

The reduction of the **advection time** for the MPI version was **expected**, while the reduction of the **chemical time** was **a big surprise**

# Conclusions and open problems

- The use of **standard** tools is important
- The use of **templates** may facilitate the search for better numerical methods (it is possible to apply the same template with different numerical methods; the differences then are caused by the numerical methods only)
- It is important to **optimize** the computations **on one processor**
- **More powerful computers are needed in our field**