

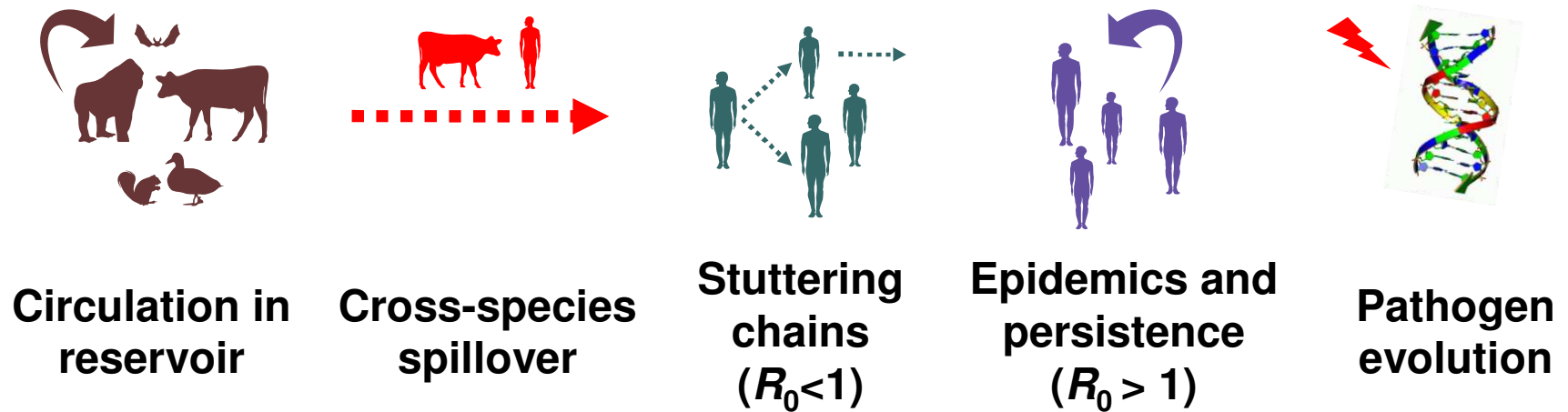
Pathogen emergence in populations with heterogeneous immune competence

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Emergence of zoonotic pathogens



Basic dynamics apply to other 'disease introduction' problems

Community  Hospital



Common Emergence of Amantadine- and Rimantadine-Resistant Influenza A Viruses in Symptomatic Immunocompromised Adults

Recovery of Drug-Resistant Influenza Virus
from Immunocompromised Patients: A Case Series

Prolonged Excretion of Amantadine-Resistant Influenza A Virus
Quasi Species after Cessation
of Antiviral Therapy
in an Immunocompromised Patient

An outbreak of multidrug-resistant tuberculosis among hospitalized patients with the acquired immunodeficiency syndrome.

The impact of HIV-1 on the malaria parasite biomass in adults in sub-Saharan Africa contributes to the emergence of antimalarial drug resistance

Persistent Rotavirus Infection in Mice with Severe Combined Immunodeficiency

PROLONGED INFLUENZA A INFECTION RESPONSIVE TO RIMANTADINE THERAPY IN A HUMAN IMMUNODEFICIENCY VIRUS-INFECTED CHILD

Persistent Infection Promotes Cross-Species Transmissibility of Mouse Hepatitis Virus

Immune competence and pathogen emergence

Many factors affect the host immune response to a given pathogen:

Host factors: genetics, age, sex, condition

Epidemiological history: vaccination, previous exposure,
co-infections (incl. HIV)

Environmental influences: nutrition, stress, pollutants, drugs

Compromised immunity known to cause **individual-level effects**:

greater susceptibility to infection	higher pathogen loads
disseminated infection and death	<u>chronic infection</u>

Chronic infections linked with development of drug resistance.

Today's talk

Compromised immunity known to cause **individual-level effects**.

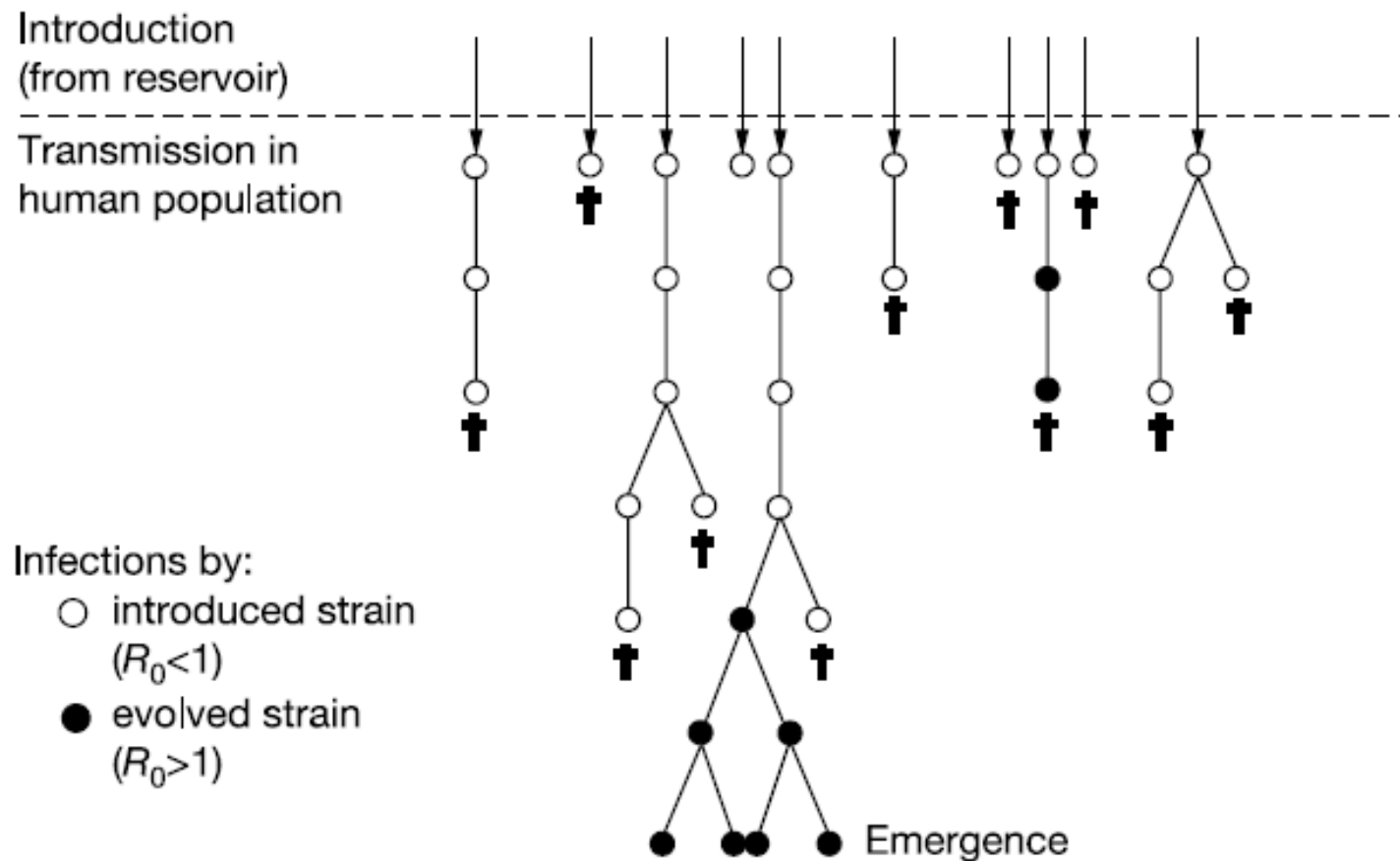
What are the **population-level effects** of immunocompromised groups on *de novo* emergence of pathogen strains?

Outline

- Background: evolutionary emergence and branching processes
- Simple model for heterogeneous immune competence
 - probability of disease invasion (without evolution)
 - probability of emergence of a novel strain (via evolution)
- Illustrative example: HIV prevalence and emergence risk

Modelling pathogen emergence

For a pathogen with $R_0 < 1$ in a new environment, **can adaptation increase R_0 and rescue the pathogen from extinction?**



Previous models of evolutionary emergence

Antia et al, 2003: **Probability of emergence** increases as R_0 of initial strain approaches 1, mutation rate increases, or evolutionary path is shorter/simpler .

Andre & Day, 2005: If you allow for **evolution within hosts**, then duration of infection can be as important as R_0 .

Yates et al, 2006: **Heterogeneity** in host susceptibility or infectiousness alone has little effect on emergence.

Reluga et al, 2007: Continued contact with **reservoir population** can promote emergence.

Alexander & Day, 2010(??): Considering **contact rate distributions** and more complex **evolutionary trajectories** leads to subtleties...

Previous models of evolutionary emergence

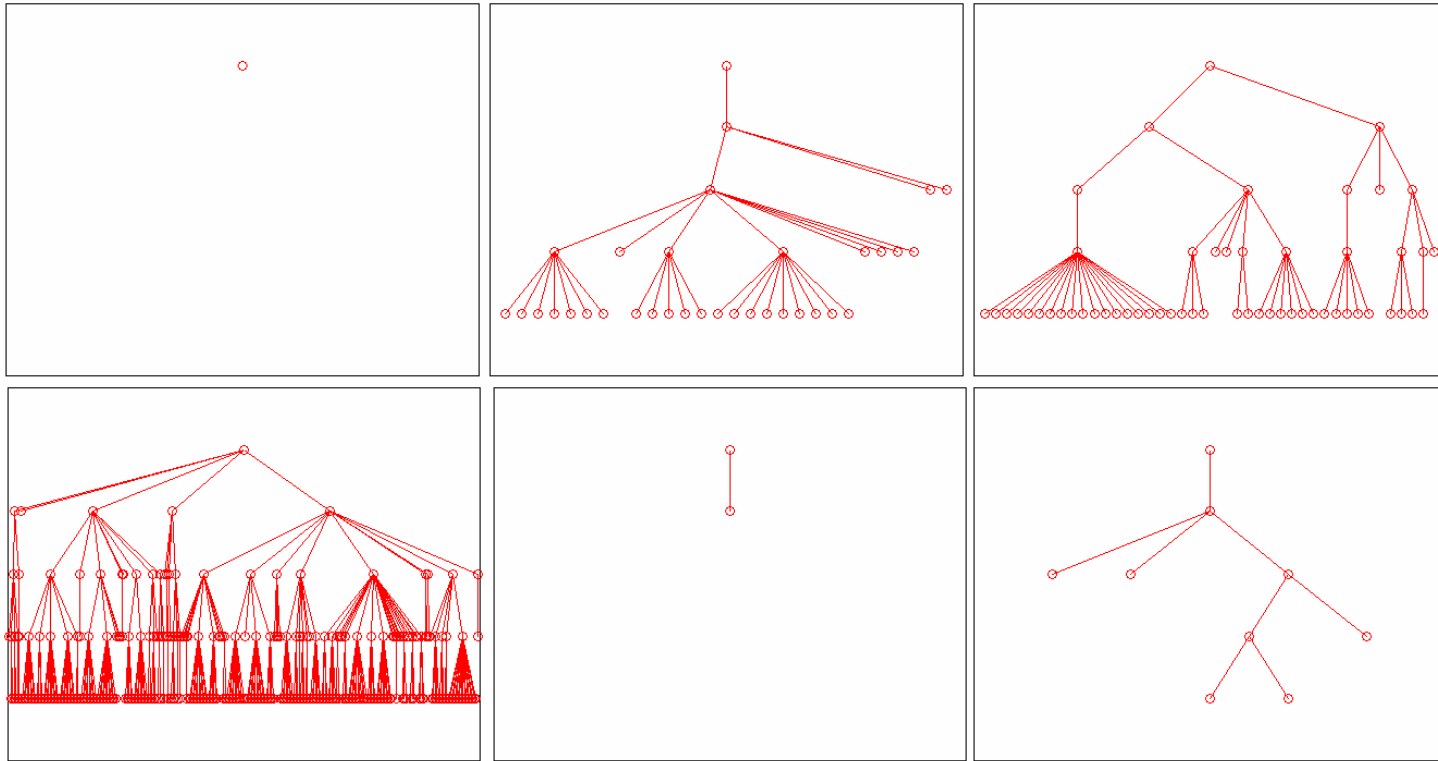
Antia et al, 2003: **Probability of emergence** increases as R_0 of initial strain approaches 1, mutation rate increases, or evolutionary path is shorter/simpler .

Andre & Day, 2005: If you allow for **evolution within hosts**, then duration of infection can be as important as R_0 .

Yates et al, 2006: **Heterogeneity** in host susceptibility or infectiousness alone has little effect on emergence.

Present goal: analyze disease emergence in a population with **heterogeneous immunocompetence** so that parameters may co-vary, with both **within- and between-host evolution**.

Branching process: a stochastic model for disease invasion into a large population.



Offspring distribution: $\Pr(Z=j) = p_j$

Define probability generating function for Z : $f(s) = \sum_{j=0}^{\infty} p_j s^j$

Then $q = \Pr(\text{extinction})$ is solution to $q = f(q)$.

Simple model for heterogeneity in immune competence



Divide population into two groups, **healthy** and **immunocompromised**, which mix at random.

Consider different epidemiological effects of immune compromise:

NO EFFECT (0), $S\uparrow$, $I\uparrow$, $I\downarrow$, $S\uparrow I\uparrow$, $S\uparrow I\downarrow$

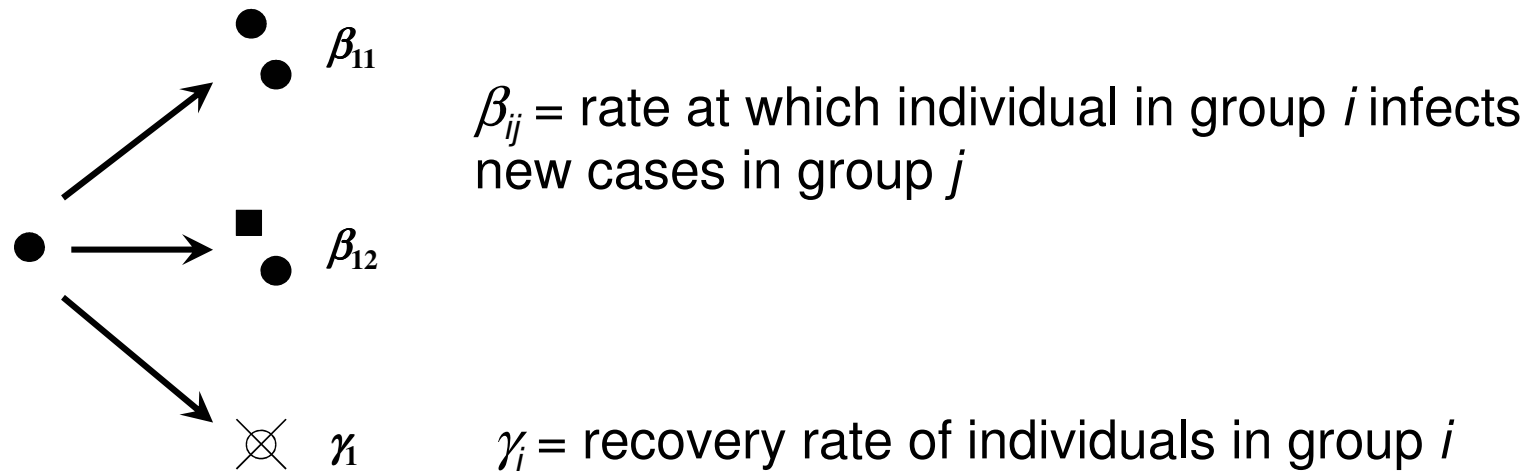
(assume 10-fold changes)

Infectiousness can vary via either the rate or duration of transmission.

Assume that epidemiological and evolutionary parameters are independent.

Model 1: heterogeneous immune competence, but no evolution

Multi-type birth-and-death process



Probability generating functions:

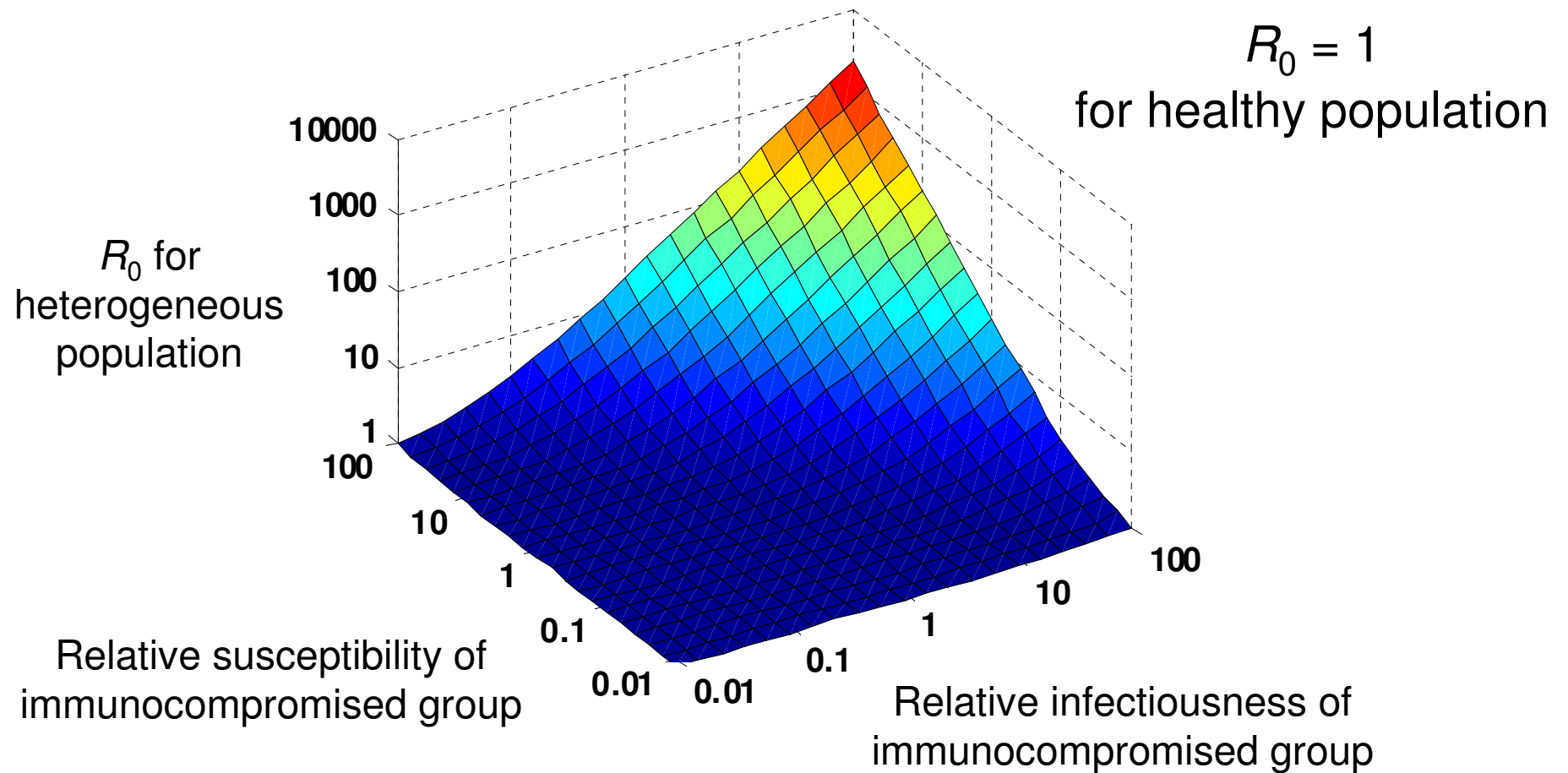
$$f_1(s) = \frac{1}{\gamma_1 + \beta_{11} + \beta_{12}} (\gamma_1 + \beta_{11}s_1^2 + \beta_{12}s_1s_2)$$

$$f_2(s) = \frac{1}{\gamma_2 + \beta_{21} + \beta_{22}} (\gamma_2 + \beta_{21}s_2s_1 + \beta_{22}s_2^2)$$

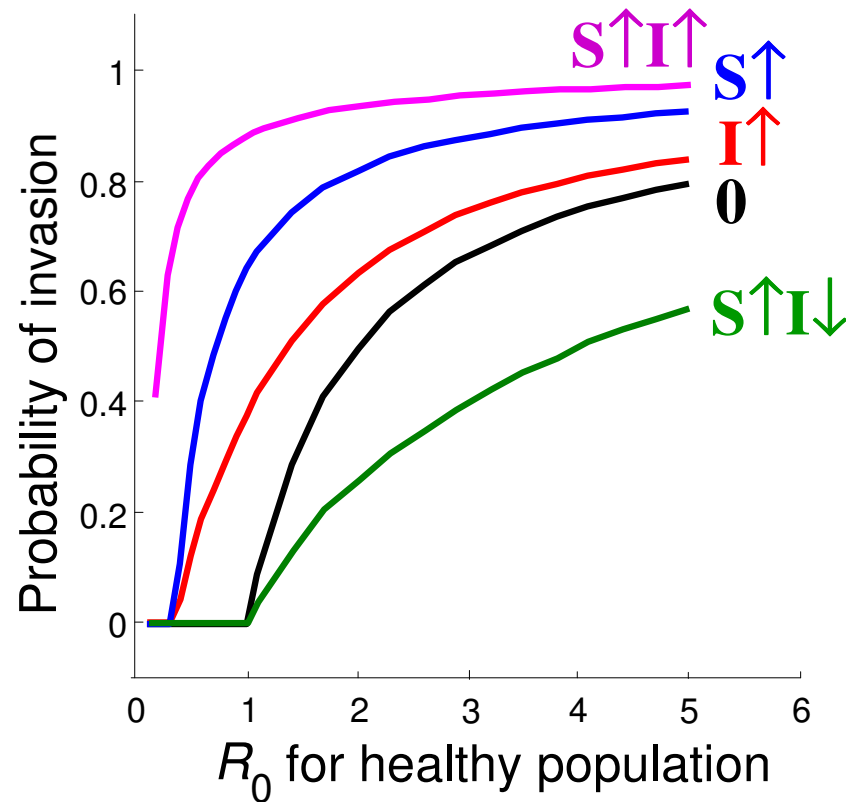
Solve for \mathbf{q} such that $\mathbf{f}(\mathbf{q})=\mathbf{q}$.

Then $1 - q_i$ is probability of invasion following introduction of a single case of type i .

R_0 for the heterogeneous population „ R_0 for a healthy population



Pathogen invasion



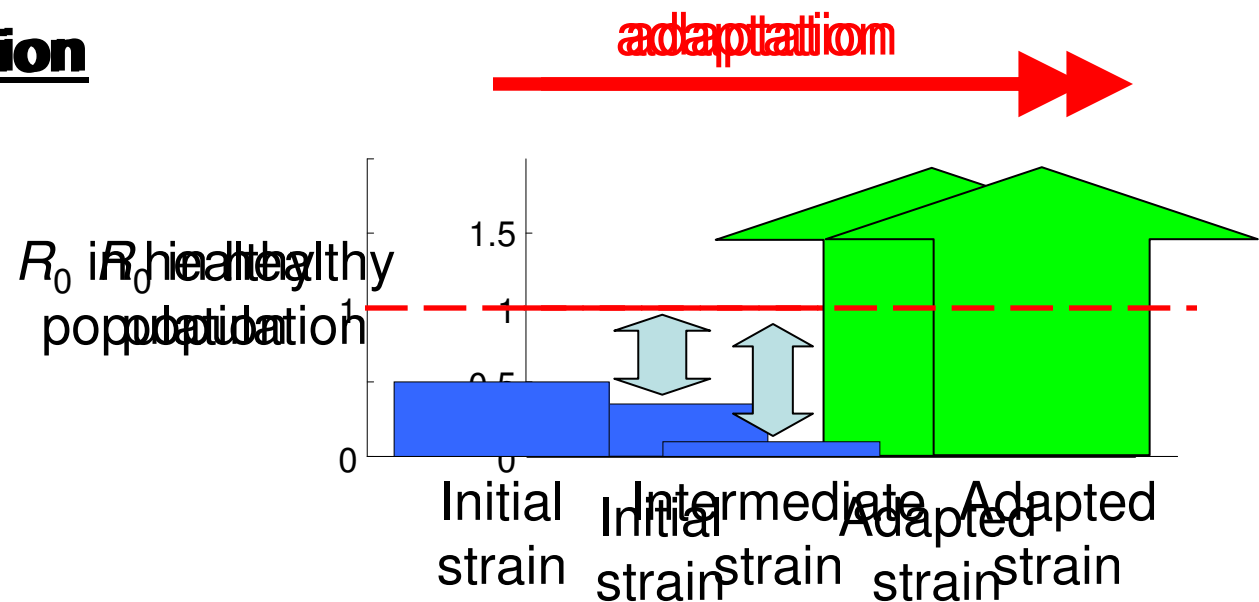
- Immune compromised group with $I \uparrow$ or $S \uparrow$ can make invasion possible for an otherwise non-adapted pathogen.
- Increase in both ($S \uparrow I \uparrow$) greatly amplifies this effect.

Incorporating pathogen evolution

Pathogen is **structured into strains** representing stages of adaptation to a novel host species.

These are described by a **pathogen fitness landscape**.

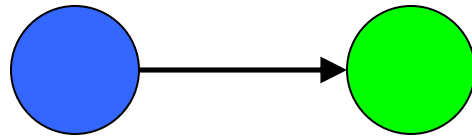
One-step adaptation



Steps in the fitness landscape arise through two basic mechanisms:

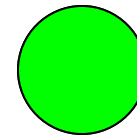
Between-host evolution

population bottleneck in
transmission causes
founder effect



Within-host evolution

mutation arises during infection and
goes to **fixation** within host



Model assumes:

Occurs with **fixed probability**
per transmission event.

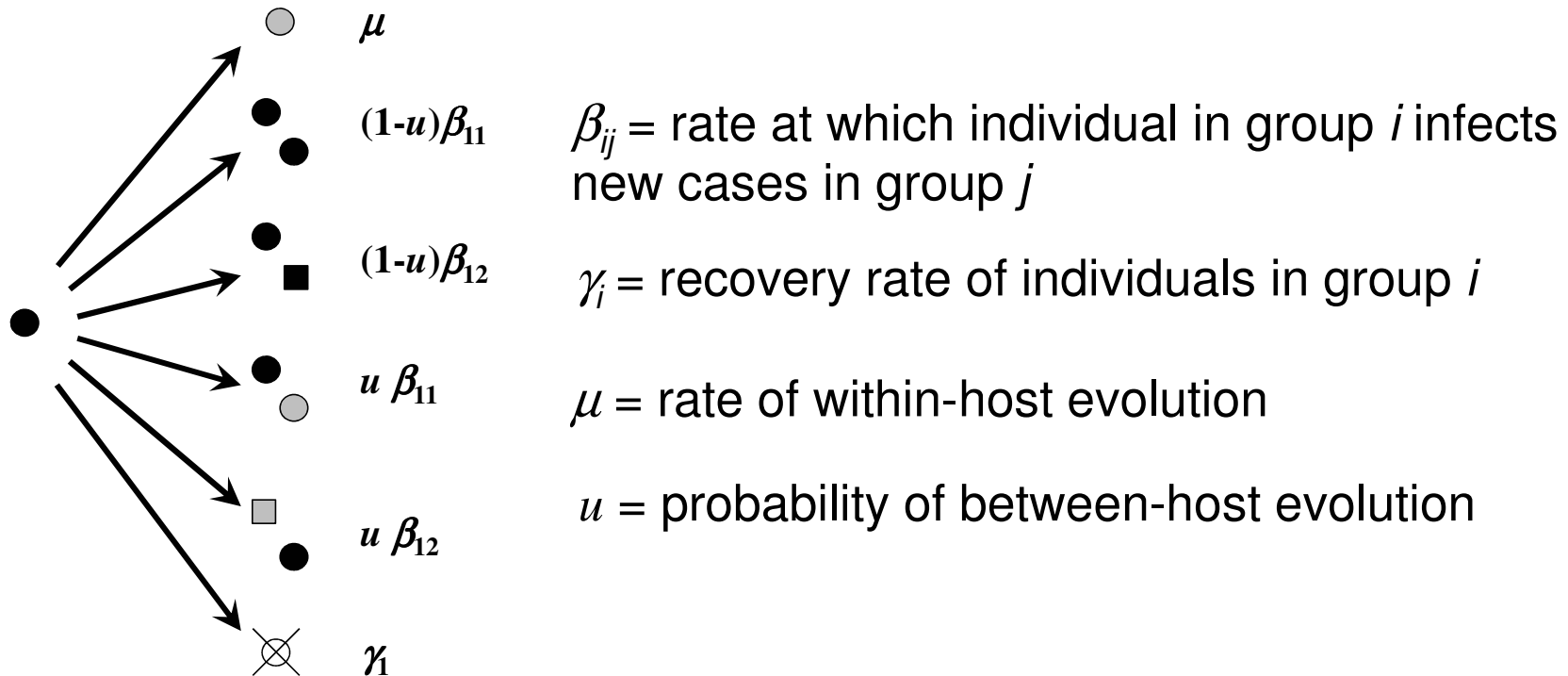
Total probability of an event
depends on the **length of
the transmission chain.**

Occurs at a **constant rate**
within each infected host.

Total probability depends on the
cumulative duration of infection,
summed over all hosts.

Model 2: heterogeneous immune competence, including evolution

Extended multi-type birth-and-death process

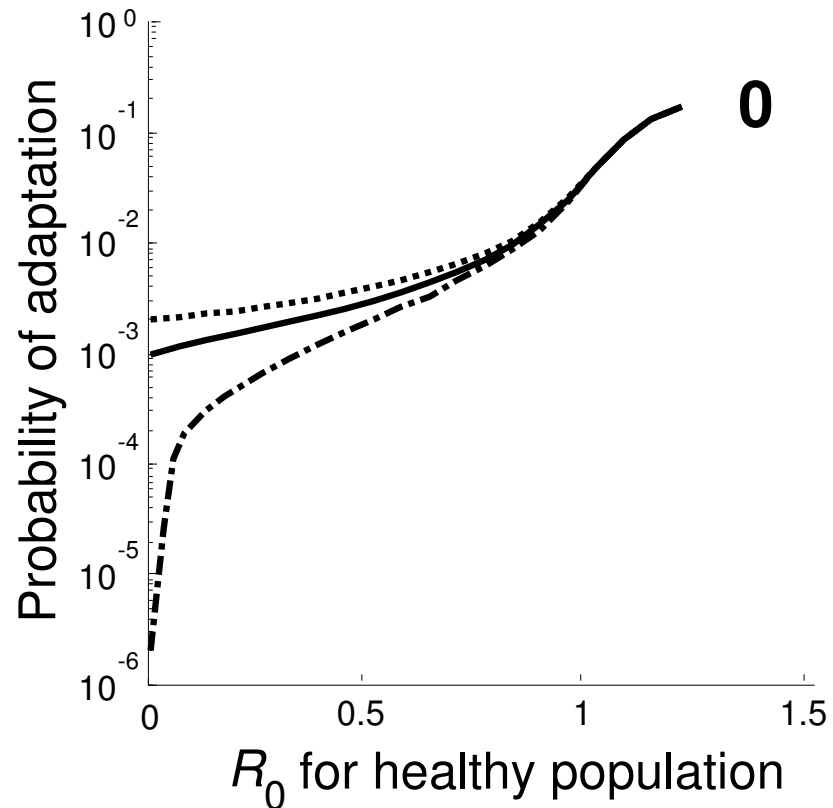
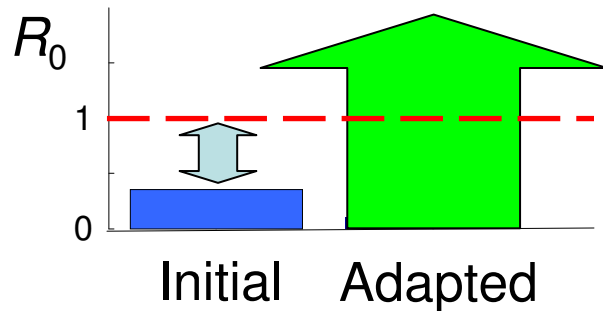


Probability generating functions look like:

$$f_1^{(1)}(s) = (1-u) \left[\frac{\chi_{11}^{(1)}}{\theta_1^{(1)}} (q_1^{(1)})^2 + \frac{\chi_{12}^{(1)}}{\theta_1^{(1)}} (s_1^{(1)} s_2^{(1)}) \right] + u \left[\frac{\chi_{11}^{(1)}}{\theta_1^{(1)}} (s_1^{(1)} s_1^{(2)}) + \frac{\chi_{12}^{(1)}}{\theta_1^{(1)}} (s_1^{(1)} s_2^{(2)}) \right] + \frac{\mu}{\theta_1^{(1)}} s_1^{(2)} + \frac{\gamma_1^{(1)}}{\theta_1^{(1)}}$$

Pathogen evolution: probability of adaptation

One-step adaptation

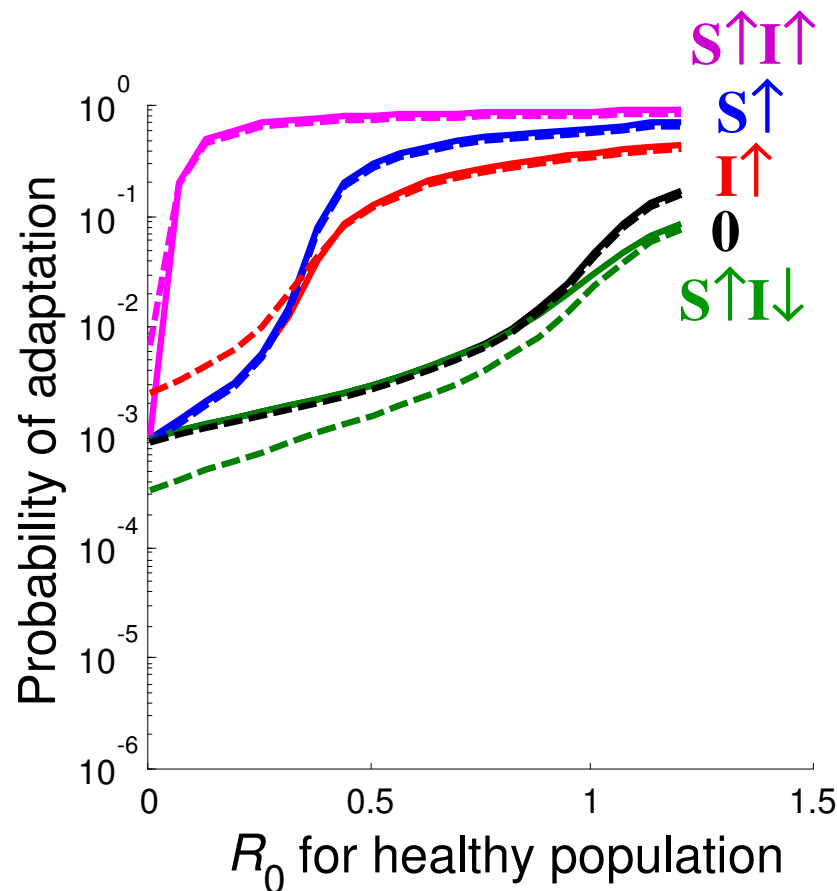


Three scenarios with **equal total probability of adaptation**, per host:

- WITHIN >> between
- within = between
- . - . within << BETWEEN

Pathogen evolution: probability of adaptation

Assuming $P(\text{within}) = P(\text{between}) = 1 \times 10^{-3}$



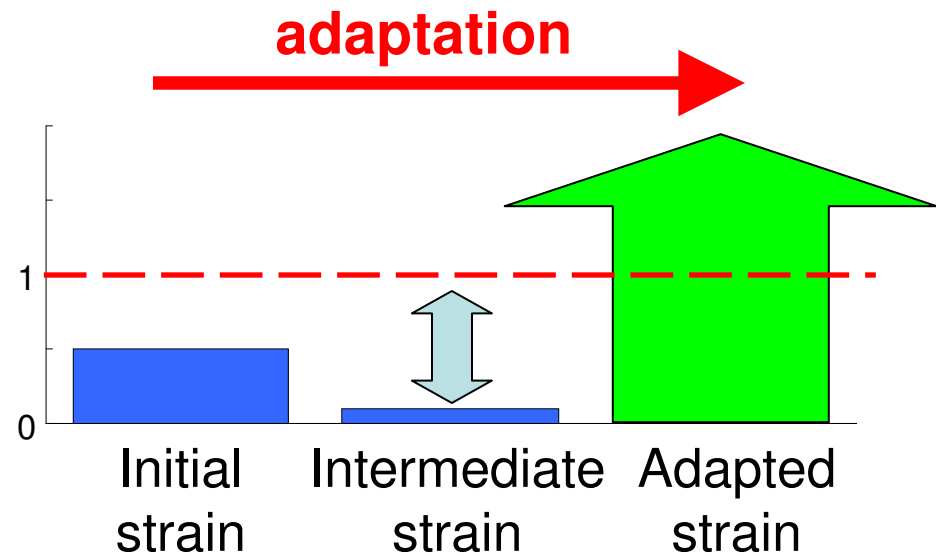
Solid lines: infectiousness varies by **transmission rate**

Dashed lines: infectiousness varies by **duration**

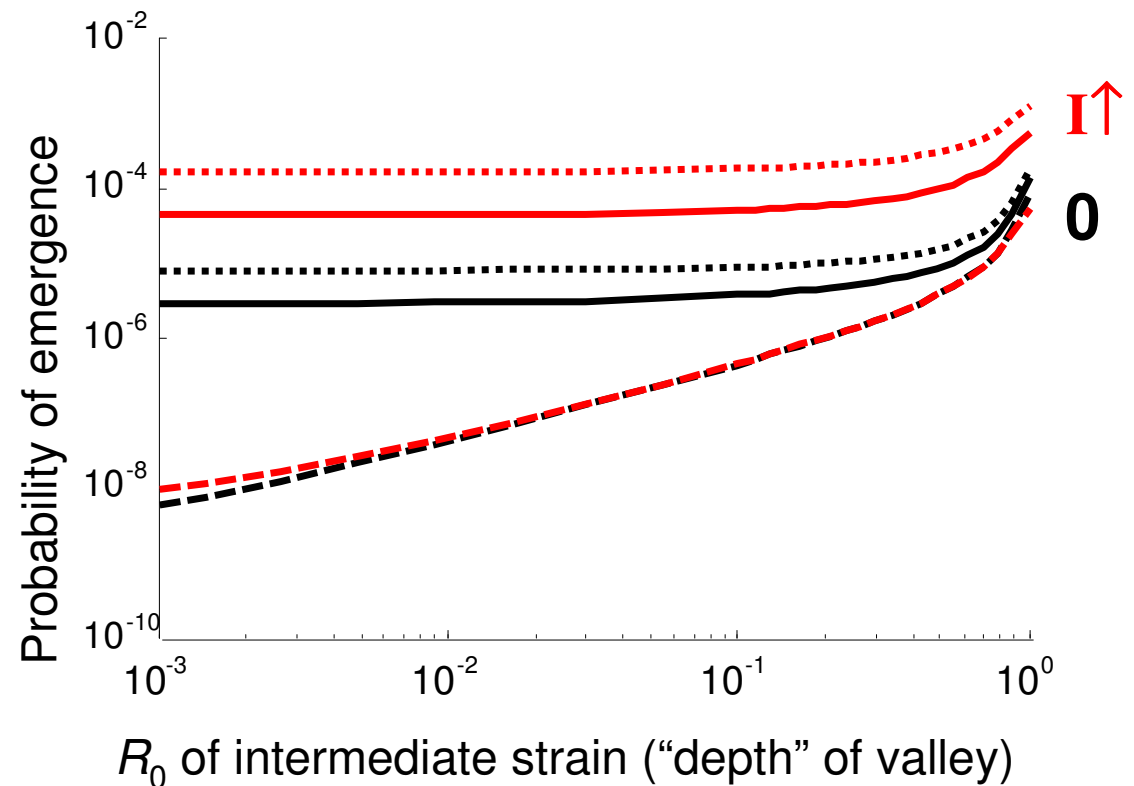
Two-step adaptation

Fitness valley model

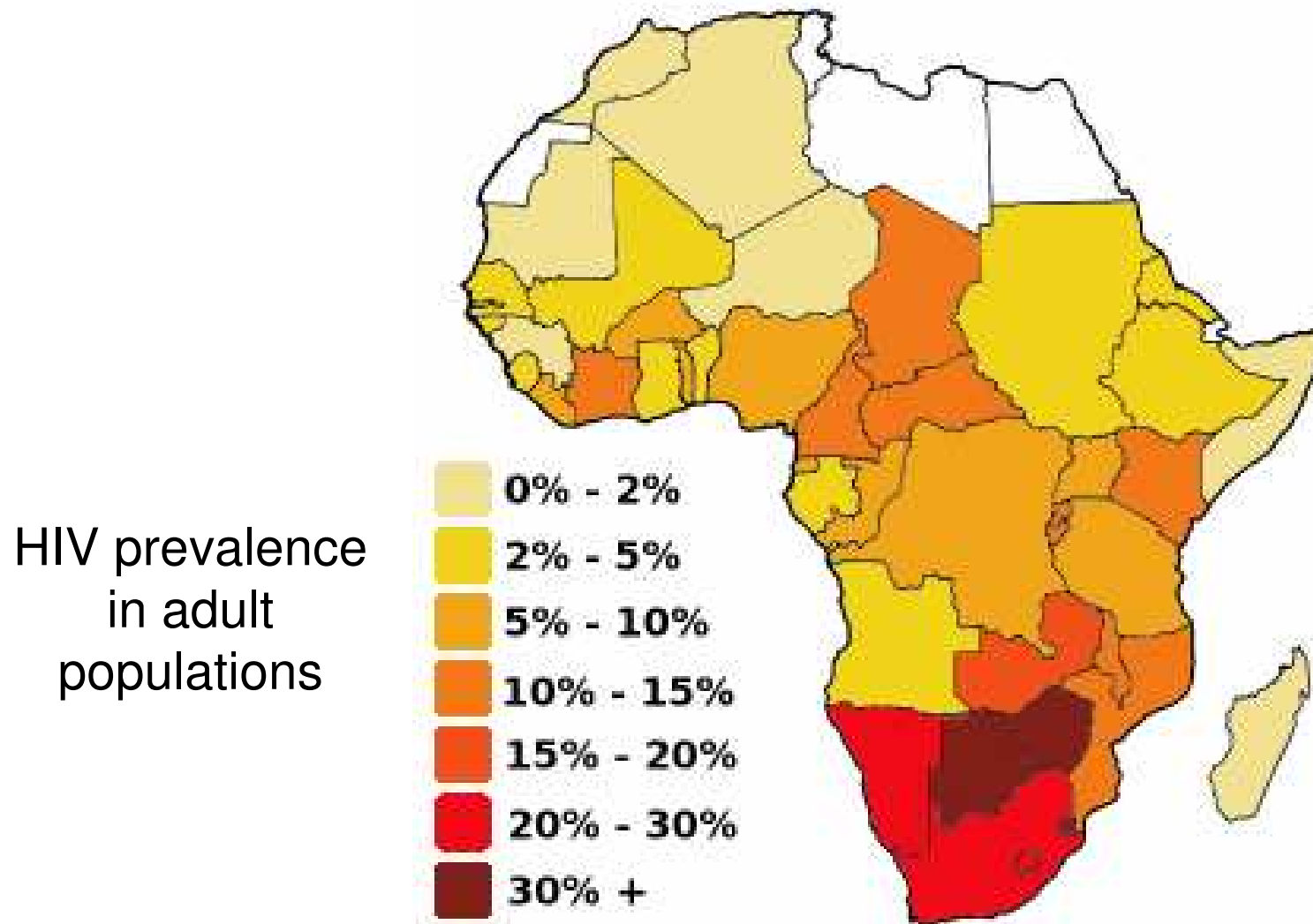
R_0 in healthy population



- **WITHIN >> between**
- **within = between**
- - - **within << BETWEEN**



HIV in Africa: a changing immune landscape



How might this influence disease emergence?

HIV and acute respiratory infections

Studies from Chris Hari-Baragwanath Hospital in Soweto, South Africa

Bacterial respiratory tract infections (Madhi et al, 2000, *Clin Inf Dis*):

Organism	HIV-1 ⁺ children	HIV-1 ⁻ children	RR; 95% CI	<i>P</i>
<i>Streptococcus pneumoniae</i>	1233	29	42.9; 20.7–90.2	<.00001
<i>Haemophilus influenzae</i> type b	569	27	21.4; 9.4–48.4	<.00001
<i>Staphylococcus aureus</i>	337	3	49.0; 15.4–156.0	<.00001
<i>Escherichia coli</i>	474	10	97.9; 11.4–838.2	<.00001
<i>Salmonella</i> species	95	7	13.4; 2.2–78.1	.02
<i>Mycobacterium tuberculosis</i>	1470	65	22.5; 13.2–37.6	<.00001

Viral respiratory tract infections (Madhi et al, 2000, *J. Ped.*):

	HIV-infected/ 100 000	HIV-uninfected/ 100 000	Relative risk, 95% CI
RSV	1,444	309	1.92, 1.29-2.83
Influenza A/B	1,268	148	8.03, 5.05-12.76
Parainfluenza 1-3	893	106	8.46, 4.95-10.47
Adenovirus	481	32	15.07, 6.62-34.33

HIV and acute respiratory infections

TABLE VI Reports of Persistence of Respiratory Viral Infection in Immunocompromised Children			
Virus	Duration Reported (days)		Reference
	Immunocompromised	Immunocompetent	
Respiratory syncytial virus	0-37	—	6
	4-47	1-20	7
	40-112	1-21	12
	1-199	1-21	13
	8-58	3-18	14
	63	—	15
Parainfluenza 3	20-235	1-26	12
	≥80	—	16
	91	—	17
Influenza A	10-36	3-10	14

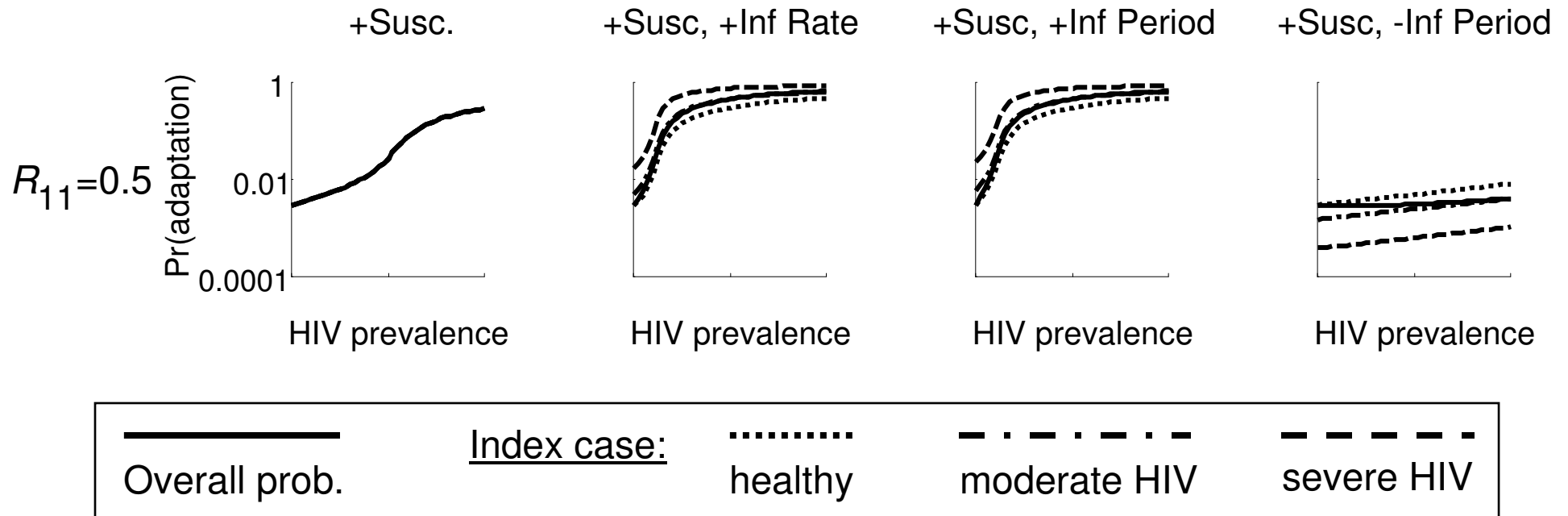
Couch et al, 1997

Parasite genus	Influence of HIV-1 co-infection on:			
	Susceptibility	Transmission rate	Infectious period	Treatment efficacy
<i>Plasmodium</i>	Increased.	Increased (via higher parasite densities).	Increased (via recurrent parasitemia).	Decreased (high treatment failure and inc'd recrudescence in HIV patients with reduced CD4 ⁺ count).
<i>Leishmania</i>	Possibly increased.	Increased via higher parasite burdens, new routes of transmission.	Possibly increased due to delayed diagnosis.	Decreased (high treatment failure and frequent relapses)
<i>Trypanosoma</i>	No evidence for effect.	No evidence for <i>T. brucei</i> ; increased for <i>T. cruzi</i> (via higher parasitemia in chronic phase)	No evidence for effect.	Decreased for <i>T. brucei</i> (greater risk of relapse); no evidence for <i>T. cruzi</i> .
<i>Schistosoma</i>	Increased susceptibility to re-infection.	Decreased (via lower egg excretion).	Possibly increased due to milder symptoms.	No effect observed in humans.
<i>Strongyloides</i>	Possibly increased.	No evidence for effect (no effect of CD4 ⁺ count on fecal shedding of larvae).	Possibly increased due to milder symptoms.	No evidence of decrease.

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General effects of HIV prevalence

Very simple model with three groups: healthy, moderate, severe.



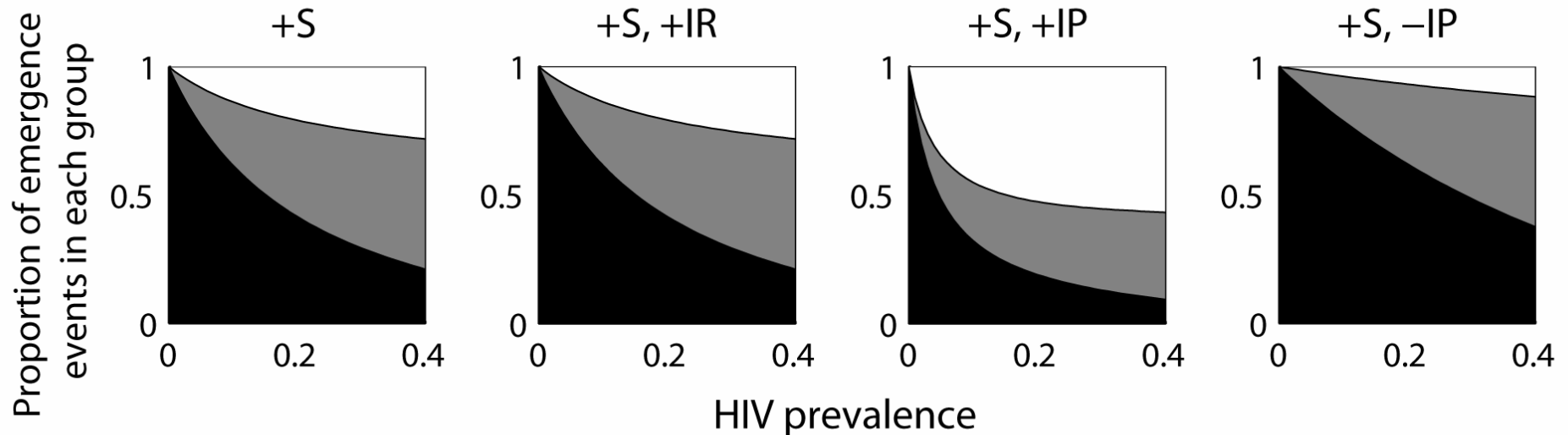
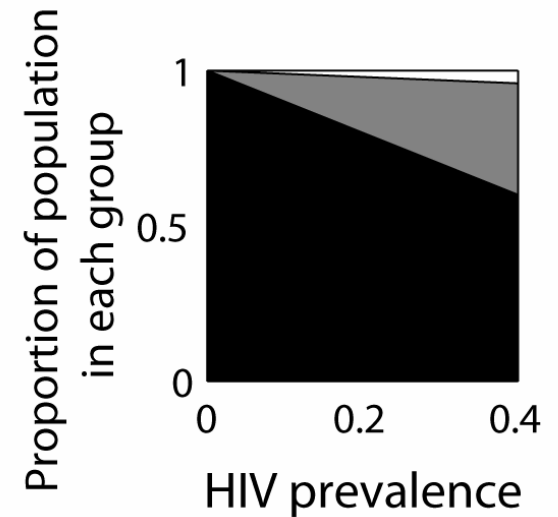
Substantial increase in emergence risk when index case is immunocompromised (+S,+IR or +IP)

Community benefit to **targeted prophylaxis or prevention**

Surveillance for strain emergence

Where will novel pathogen strains emerge?

e.g. pathogen with $R_0=0.1$,
in HIV-affected population.



Targeted surveillance worthwhile, particularly when susceptibility and infectivity are both increased for HIV co-infected hosts.

Summary

Invasion

- An immunocompromised group can provide a **toe-hold for emergence** of an unadapted pathogen, especially if both susceptibility and infectiousness are increased.

Adaptation

- Within-host evolution is **crucial at low R_0** , and when pathogen must cross **fitness valleys** to adapt.
- **Prolonged duration** of infection has greater influence on emergence than faster rate of transmission.

Policy

- Guidance for **targeted prevention** or **surveillance**
- Treat HIV cases protect their contacts
 - e.g. Cotrimoxazole **prophylaxis given to HIV-1 patients** in Uganda led to **reduced malaria and diarrhea incidence** in their HIV-negative family members (Mermin et al 2005)

Future directions & open questions

- Explicit model for **antibiotic treatment**
- **More realistic** representation of evolutionary processes
 - Link to within-host dynamics
 - Data-driven parameter values, fitness landscapes, etc.
- Do fitness landscapes **vary as a function of immune status**?
- Immune system is **highly complex**, and “immune competence” is certainly not a one-dimensional space
 - What are relevant indices of immune status?
 - Is it ever sensible to generalize across host-pathogen systems?
Across causes of immune compromise?
- Could the greater risk of drug resistance in immunocompromised hosts be due simply to **increased drug exposure**?
Controlled epi studies? Experimental work?

Acknowledgements

Ideas and insights

Bryan Grenfell, Mary Poss, Andrew Read, Peter Hudson,
and many others at Penn State.

Wayne Getz (UC Berkeley)

Sebastian Schreiber (UC Davis)

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Reference (for some of the material)

Lloyd-Smith, Poss, Grenfell (2008) *Parasitology* 135: 795-806.

Additional material

Model assumptions

Epidemiological model

Susceptible pool is large compared to outbreak size.

Number of cases caused by each individual (offspring distribution) is geometrically distributed.

Type of index case is determined by group size weighted by susceptibility.

$$\text{Pr}(\text{index case in group } i) = \frac{(\text{Size of group } i) \times (\text{Susc. of group } i)}{\sum_j (\text{Size of group } j) \times (\text{Susc. of group } j)}.$$

Evolution model

Parameters describing relative susc. and inf. don't depend on pathogen strain.

Evolutionary and epidemiological parameters are independent of one another.

Model equations: 1 group, 1 strain

q = Probability that outbreak carried by
a single case will go extinct.

β = Transmission rate

γ = Recovery rate

Define $\phi = \beta + \gamma$, then :

$$q = \frac{\beta}{\phi} q^2 + \frac{\gamma}{\phi}$$

where because of the large-population assumption, we assume:

1. $\Pr(2 \text{ chains go extinct}) = [\Pr(1 \text{ chain goes extinct})]^2$
2. q is independent of time.

Model equations: 1 group, 2 strains

$q^{(i)}$ = Probability that outbreak of strain i carried by a single case will go extinct.

$\beta^{(i)}$ = Transmission rate for strain i

$\gamma^{(i)}$ = Recovery rate for strain i

μ = Rate of within-host evolution

u = Probability of between-host transmission

Define $\phi^{(i)} = \beta^{(i)} + \mu + \gamma^{(i)}$, then :

$$q^{(1)} = \frac{\beta^{(1)}}{\phi^{(1)}} \left[(1-u) \left(q^{(1)} \right)^2 + u \left(q^{(1)} q^{(2)} \right) \right] + \frac{\mu}{\phi^{(1)}} q^{(2)} + \frac{\gamma^{(1)}}{\phi^{(1)}}$$

$$q^{(2)} = \frac{\beta^{(2)}}{\phi^{(2)}} \left(q^{(2)} \right)^2 + \frac{\gamma^{(2)}}{\phi^{(2)}}$$

Model equations: 2 groups, 2 strains

$q_j^{(i)}$ = Probability that outbreak of strain i carried by a single case in group j will go extinct.

$\beta_{jk}^{(i)}$ = Transmission rate from group j to group k for strain i

$\gamma_j^{(i)}$ = Recovery rate for case of strain i in group j

μ = within - host evolutionrate; u = prob. of between - host evolution

Define , $\phi_j^{(i)} = \sum_k \beta_{jk}^{(i)} + \gamma_j^{(i)} + \mu$, then :

$$q_1^{(1)} = (1-u) \left[\frac{\beta_{11}^{(1)}}{\phi_1^{(1)}} (q_1^{(1)})^2 + \frac{\beta_{12}^{(1)}}{\phi_1^{(1)}} (q_1^{(1)} q_2^{(1)}) \right] + u \left[\frac{\beta_{11}^{(1)}}{\phi_1^{(1)}} (q_1^{(1)} q_1^{(2)}) + \frac{\beta_{12}^{(1)}}{\phi_1^{(1)}} (q_1^{(1)} q_2^{(2)}) \right] + \frac{\mu}{\phi_1^{(1)}} q_1^{(2)} + \frac{\gamma_1^{(1)}}{\phi_1^{(1)}}$$

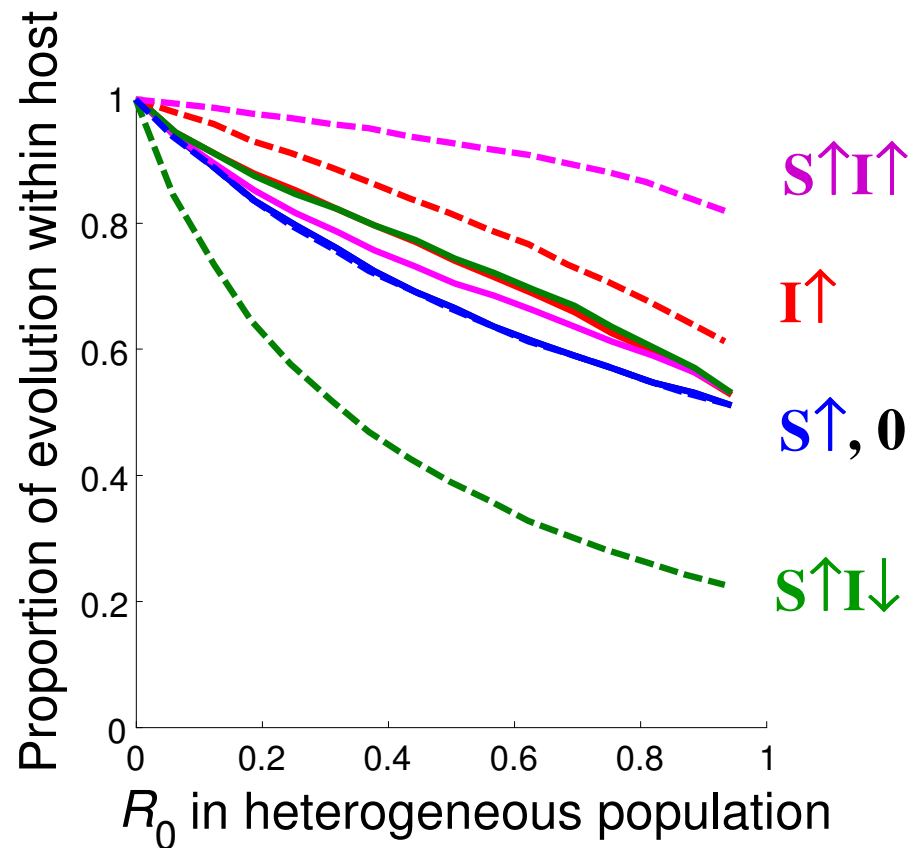
$$q_2^{(1)} = (1-u) \left[\frac{\beta_{21}^{(1)}}{\phi_2^{(1)}} (q_1^{(1)} q_2^{(1)}) + \frac{\beta_{22}^{(1)}}{\phi_2^{(1)}} (q_2^{(1)})^2 \right] + u \left[\frac{\beta_{21}^{(1)}}{\phi_2^{(1)}} (q_1^{(2)} q_2^{(1)}) + \frac{\beta_{22}^{(1)}}{\phi_2^{(1)}} (q_2^{(1)} q_2^{(2)}) \right] + \frac{\mu}{\phi_2^{(1)}} q_2^{(2)} + \frac{\gamma_2^{(1)}}{\phi_2^{(1)}}$$

$$q_1^{(2)} = \frac{\beta_{11}^{(2)}}{\phi_1^{(2)}} (q_1^{(2)})^2 + \frac{\beta_{12}^{(2)}}{\phi_1^{(2)}} (q_1^{(2)} q_2^{(2)}) + \frac{\gamma_1^{(2)}}{\phi_1^{(2)}}$$

$$q_2^{(2)} = \frac{\beta_{21}^{(2)}}{\phi_2^{(2)}} (q_1^{(2)} q_2^{(2)}) + \frac{\beta_{22}^{(2)}}{\phi_2^{(2)}} (q_2^{(2)})^2 + \frac{\gamma_2^{(2)}}{\phi_2^{(2)}}$$

Where does adaptation occur?

Assuming $P(\text{within}) = P(\text{between}) = 1 \times 10^{-3}$



Solid lines: infectiousness varies in **transmission rate**

Dashed lines: infectiousness varies in **duration**

Pathogen evolution

Can distinguish between mechanisms of evolution by considering total 'opportunity' for each to work.

- Total infectious duration
- Total number of transmission events

Andre & Day (2005) showed $P(\text{adaptation}) \sim \mu L + u B$

Generalize to multi-group setting, can extract:

- proportion of transmission due to within vs between
- likelihood that 'adapted pathogen' will emerge in one group or the other.

Illustration: HIV prevalence and influenza emergence

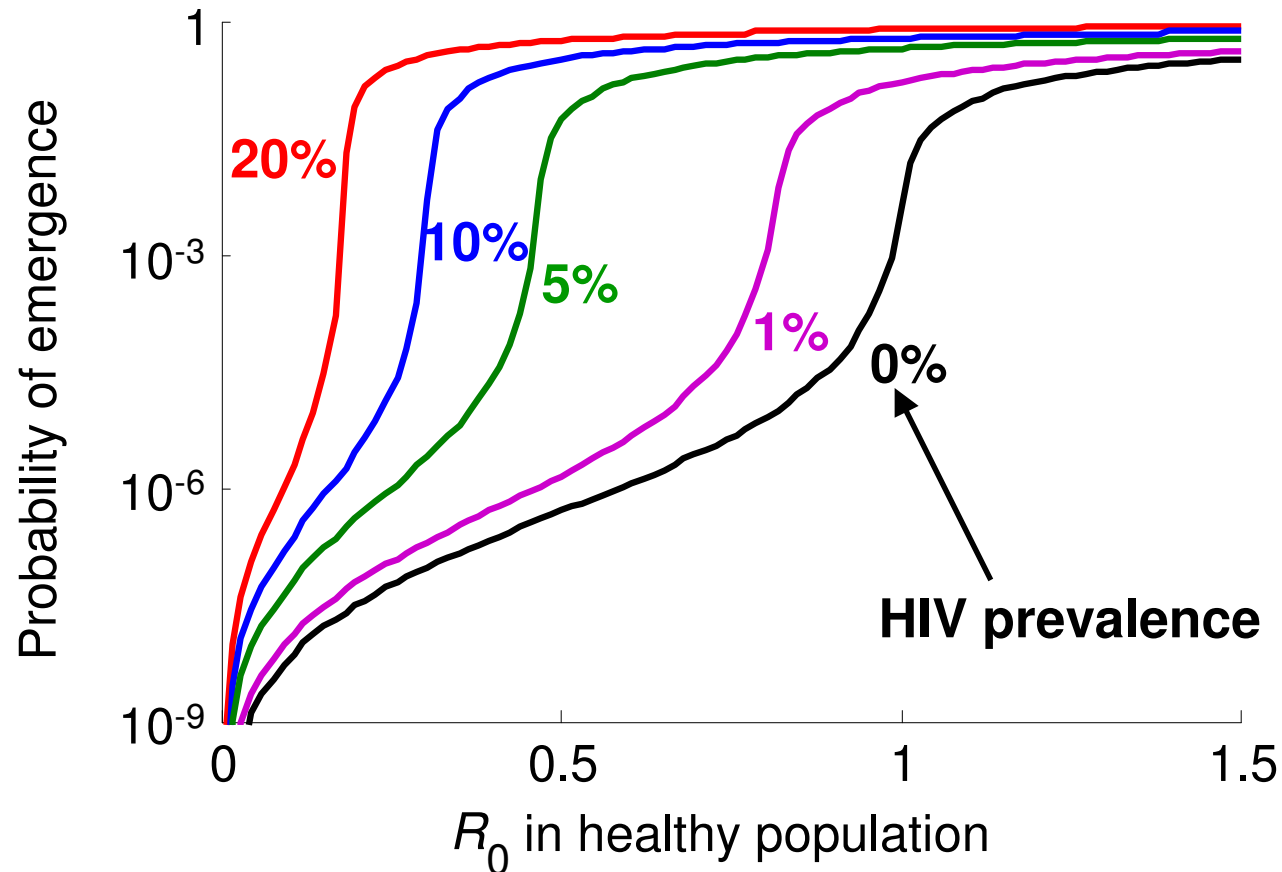
Assuming:

Susceptibility is **8× higher** in HIV+ group, and infections last **3× longer**.

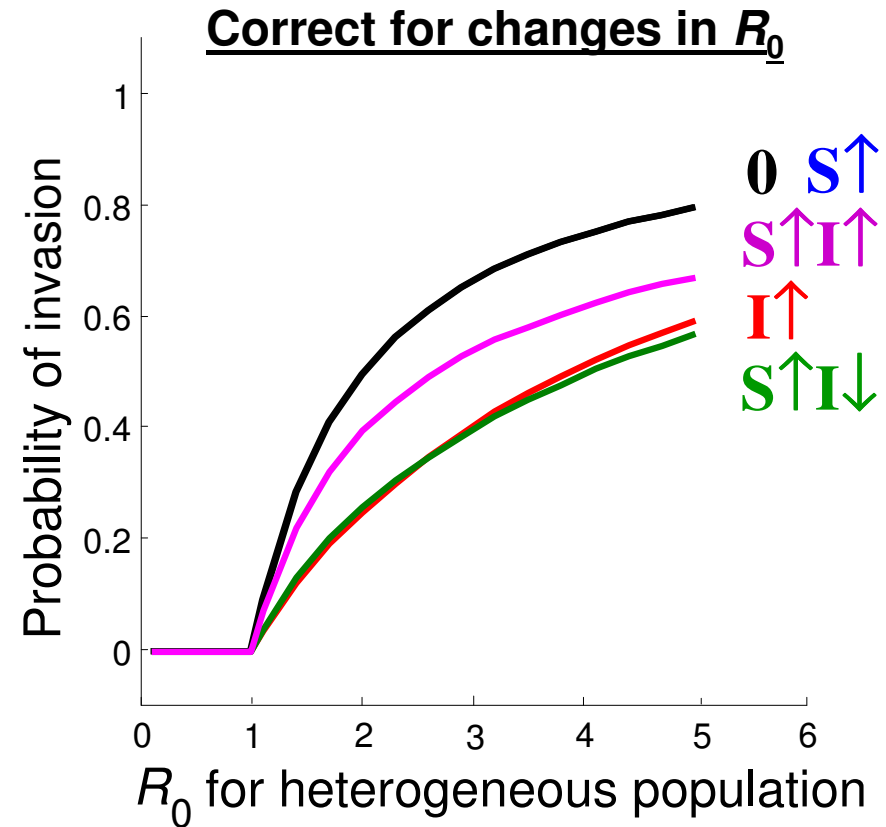
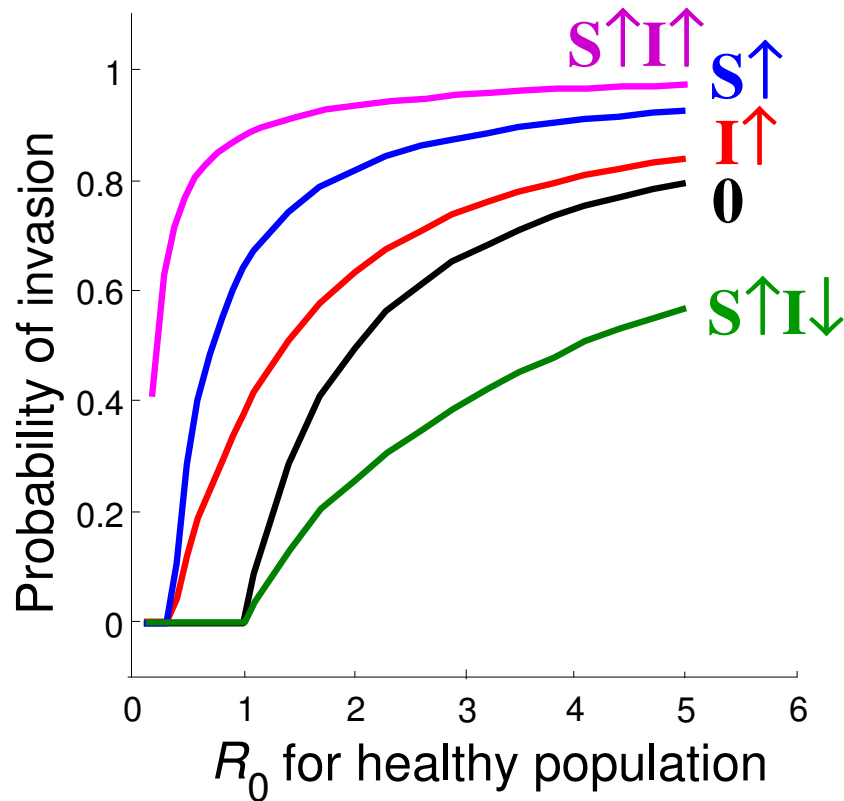
$P(\text{within}) \gg P(\text{between})$

Two-step jackpot adaptation

$R_0 = 2$ for adapted strain



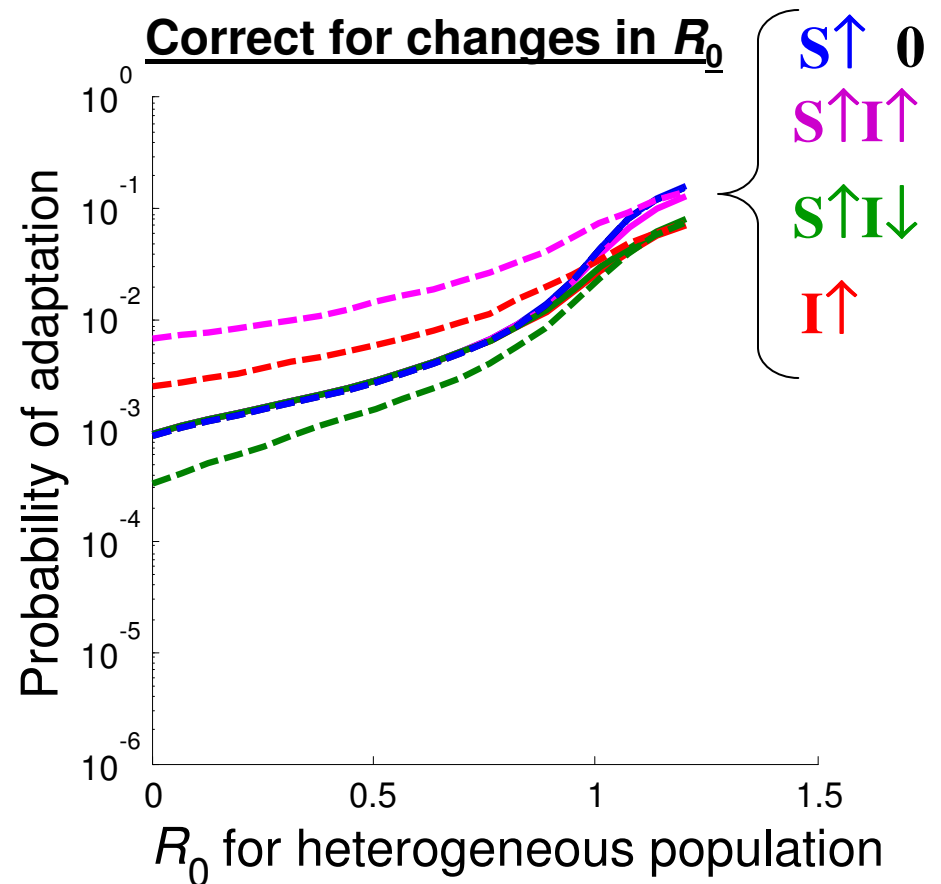
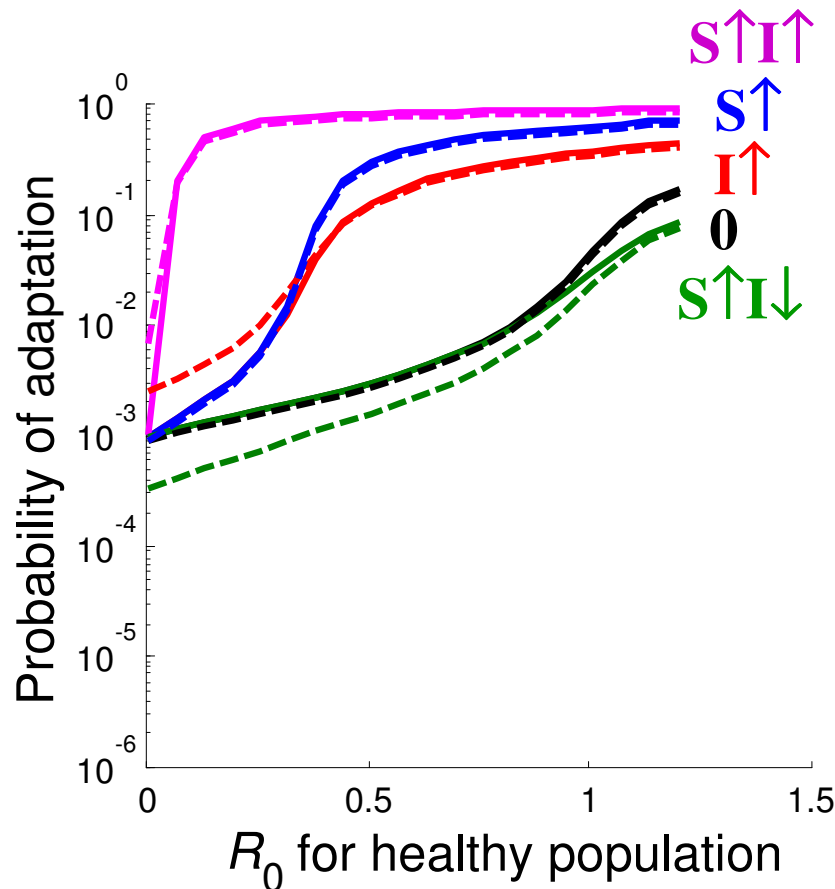
Pathogen invasion



- Immune compromised group with $I \uparrow$ or $S \uparrow$ can make invasion possible for an otherwise non-adapted pathogen.
- Positive covariation ($S \uparrow I \uparrow$) amplifies this effect.

Pathogen evolution: probability of adaptation

Assuming $P(\text{within}) = P(\text{between}) = 1 \times 10^{-3}$



Solid lines: infectiousness varies by **transmission rate**

Dashed lines: infectiousness varies by **duration**